Spring 2012

UIT2201: Computer Science and Information Technology Revolution (Spring Semester 2012)

MID TERM TEST (1 hour)

INSTRUCTIONS:

1. This Mid-Term Test is CLOSED BOOK / CLOSED NOTES.

2. Answer ALL questions in this answer book.

3. Make sure you write down your NAME and MATRIC NUMBER

Name:_____

Matric Number: _____

QUESTION	POSSIBLE	SCORE
Q1	20	
Q2	15	
Q3	15	
Q4	10	
TOTAL	60+1	

Fun Question: (1 bonus point)

Name the Nobel Laurette who is associated with the famous "Piano Tuner Problem?

(Now, please *relax* and *enjoy* the Quiz, OK?)

Question 1: (20 points)

True-False (2 point each)

(z)	(Sample) The course UIT2201 is taught by Prof. Leong Hon Wai	_TRUE
(a)	An algorithm X with running time $2012n$ will be faster than another algorithm Y with running time $0.2012n^2$ for all values of <i>n</i> .	
(b)	In Scratch, we can define a <i>variable</i> that is capable of storing <i>many</i> data values, under <i>one variable name</i> (thus, reducing the need to "invent" many variable names).	
(c)	The binary search algorithm is <i>very fast</i> because it keeps reducing the problem size by a factor of two.	
(d)	The Find-Max (A, n) primitive that finds the <i>maximum</i> in an array A[1n], of <i>n</i> unsorted numbers has time complexity $\Theta(\lg n)$.	
(e)	<i>Query processing</i> (for example, answering SQL query) is no longer a complex research issue since we have very fast computers nowadays.	
(f)	Each <i>column</i> of a database table is called a <i>schema</i> .	

Not True-False

(g) (4 points each) Rank the following time complexity in *increasing rate of growth* (from slowest to fastest).

 $\Theta(n^2)$, $\Theta(n)$, $\Theta(n \lg n)$, $\Theta(2^n)$.

Answer: _____

Fill in the blanks: (2 points each)

(h) Give a common application of the **Pattern-Match** algorithm covered in class.

Answer: _____

(i) Name your favourite *recurring principle* covered in class.

Answer: _____

Question 2: (15 points)

You are given two lists (arrays) of characters, T[1..n] and P[1..m] (where $n \gg m$). You can assume that *T* and *P* have already been filled with data (i.e. data has been read in).

You are given the following algorithm called U-Count (T, k, P, m) :

```
U-Count(T, k, P, m)
(* Compute some unknown quantity from
                                              *)
(* array T[k..k+m-1] and array P[1..m]
                                              *)
begin
1 s-count \leftarrow 0;
2
 j ← 1;
3 repeat until (j > m);
4
     if (P[j] = T[k+j-1]) then
        s-count \leftarrow s-count + 1;
5
6
     endif
7
     i \leftarrow i + 1;
8 endrepeat
9 u-count \leftarrow m - s-count;
10 print u-count;
end;
```

(a) (6 points) Suppose that T[1..10] = [R E V O L U T I O N] and P[1..4] = [V O L T]. If we run algorithm U-Count with different inputs, what is the output (of line 10), and what is the final value of the variable s-count (at the end of the algorithm)?

				Output produced	Value of s-count
U-Count(T,	1,	P,	4)		
U-Count(T,	3,	P,	4)		
U-Count(T,	8,	P,	3)		

(b) (3 points) Describe in plain English, what U-Count actually counts?

(b) (2 points) What is a dominant operation for this algorithm U-Count?

Dominant	Operation:	
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(b) (4 points) Give the worst-case time complexity (expressed in the Θ-notation) of the algorithm U-Count (T, k, P, m) for general T and P?

Time Complexity: _____

Question 3: (15 points)

You use the *binary search algorithm* Bin-Search(SL, 9, aName) given in class to search for aName (a given name) in a sorted list SL of 9 names, given below.

SL = (Alvin, Beth, Cathy, David, Eve, Faith, Gail, Hon, John)

(a) [5] Draw the *search tree* that is used to visualize this *binary search algorithm* applied to the sorted list SL of size 9. (Include the "square" nodes for unsuccessful searches).

(b) [4] How many **name-comparisons** are needed to search (successfully or unsuccessfully) for each of the names given in the table below:

aName:	Number of Name-Comparisons
Eve	
Cathy	
Bunny	
John	

- (c) [3] Assuming that each name is *equally likely* to be searched, what is the *average number* of name-comparisons used in a *successful search*?
- (d) [3] Estimate the average number of name-comparisons used in an *unsuccessful search*. (You can assume that each "unsuccessful search node" is *equally likely*.)

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Question 4: (10 points)

Given a database with the following 3 tables: {SI, CI, EN}. You should use these short table names to save space and writing. (Use the reverse blank pages, if necessary)

SI (STUDENT-INFO)											
Student-ID	Nam	e N	RIC-No	Addı	Address		No	Faculty	M	lajor	
CI (COURSE-INFO)							EN (E	:NR(JLMEN	1)	
Course-ID	Name	Day	Hour	Venue	Instructor			Studen	t-ID	Cours	e-ID
											-

For (a) and (b) below, give the appropriate (i) **SQL query**, and (ii) a sequence of basic database primitives (using e-project, e-select, e-join):

(a) [4 pts] List the Course-ID, Day, Hour of all courses taught in the venue "USP-SR1".

(i) SQL Query:

(ii) Using Basic Primitives:

(b) [6 pts] List the Student-ID, Major of FASS students who have classes in "USP-SR1".(i) SQL Query:

(ii) Using Basic Primitives:

~~~ END OF QUIZ ~~~