



# Lecture 9

FP Patterns

# Functions with Multiple Inputs

$$(x, y, z) \rightarrow (x+y+z)/3$$

Function<T, R>

BiFunction<T, U, R>

# Currying



Haskell Curry

$x \rightarrow$

$(y, z) \rightarrow (x+y+z)/3$

$$y \rightarrow (z \rightarrow (x \rightarrow (x+y+z)/3))$$



$x \rightarrow y \rightarrow z \rightarrow$

$(x+y+z)/3$

Function<T, Function<U, R>>

BiFunction<T, U, R>

Function<T,  
Function<U, Function<V, R>>>

```
int add(x, y) {  
    return x+y;  
}
```

```
Function<Integer, Function<Integer, Integer>>  
add = x -> y -> x+y;
```

```
add(1, 1); // normal method  
add.apply(1,1) // BiFunction
```

```
add.apply(1).apply(1); // curried
```

```
add.apply(1).apply(1);
```

```
incr = add.apply(1);
```

```
decr = add.apply(-1);
```

```
double randomExpValue(Random rng, double rate) {  
    return -Math.log(rng.nextDouble()) / rate;  
}
```

```
double generateServiceTime() {  
    return randomExpValue(rng, serviceRate);  
}
```

```
double generateInterArrivalTime() {  
    return randomExpValue(rng, arrivalRate);  
}
```

```
:
```

```
BiFunction<Random, Double, Double> randomExpValue =  
    (rng, rate) -> -Math.Log(rng.nextDouble())/rate;
```

```
Supplier<Double> generateServiceTime = () ->  
    randomExpValue.apply(rng, serviceRate);
```

```
Supplier<Double> generateInterArrivalTime = () ->  
    randomExpValue.apply(rng, arrivalRate);
```

```
:
```



```
Function<Random, Function<Double, Double>>  
randomExpValue =  
    rng -> rate -> -Math.log(rng.nextDouble()) / rate;
```

```
Function<Double, Double> f =  
    randomExpValue.apply(rng);
```

```
Supplier<Double> generateServiceTime = () ->  
    f.apply(serviceRate);
```

```
Supplier<Double> generateInterArrivalTime = () ->  
    f.apply(arrivalRate);
```

```
:
```

**Functional Interface**

aka

**SAM Interface**

```
@FunctionalInterface  
interface FindServerStrategy {  
    Server findServer(Shop shop);  
}
```

```
Function<Shop, Server> fss =  
    s -> s.getRandomServer();
```

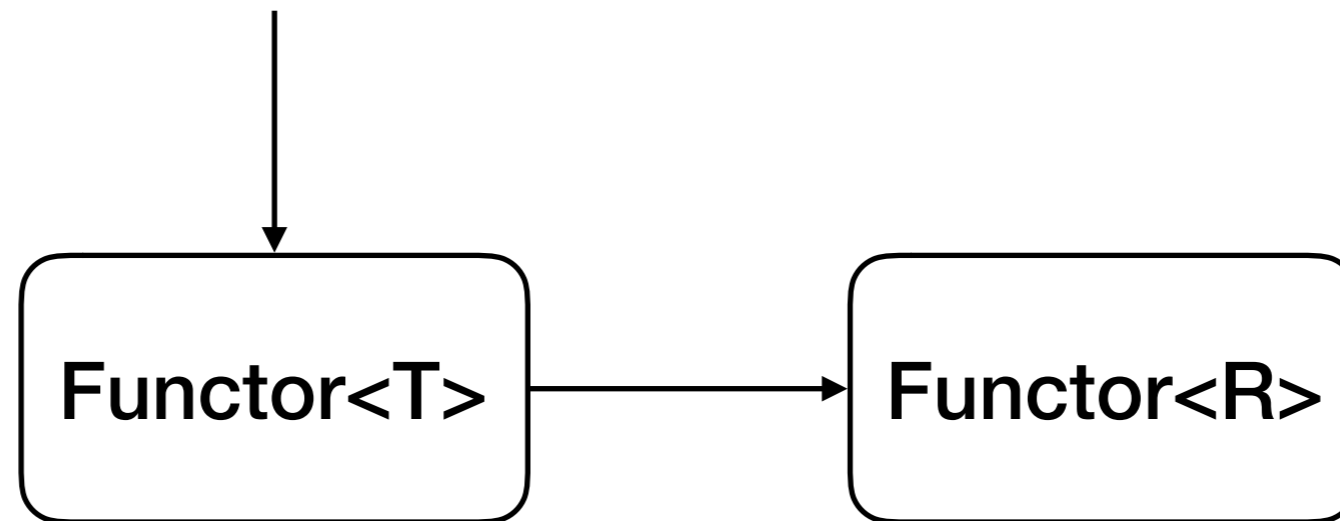
```
Function<Shop, Server> fss =  
    s -> s.getShortestQueue();
```

```
fss.apply(shop)
```

# Functor

Explained in OO way

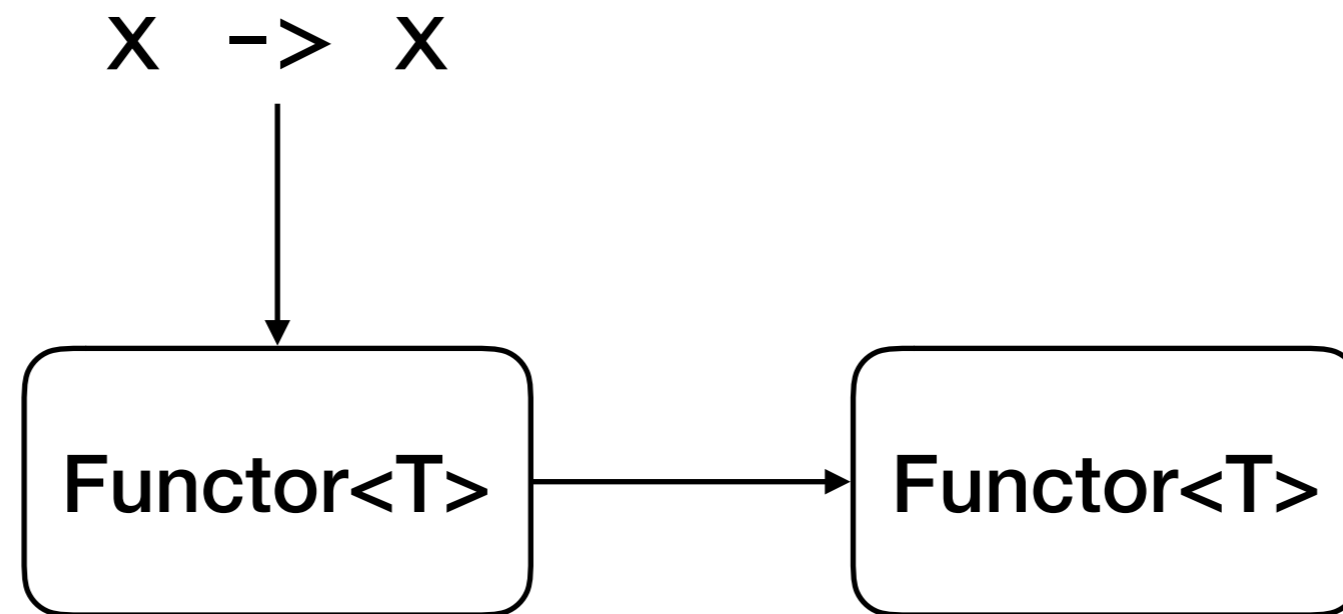
$f : T \rightarrow R$



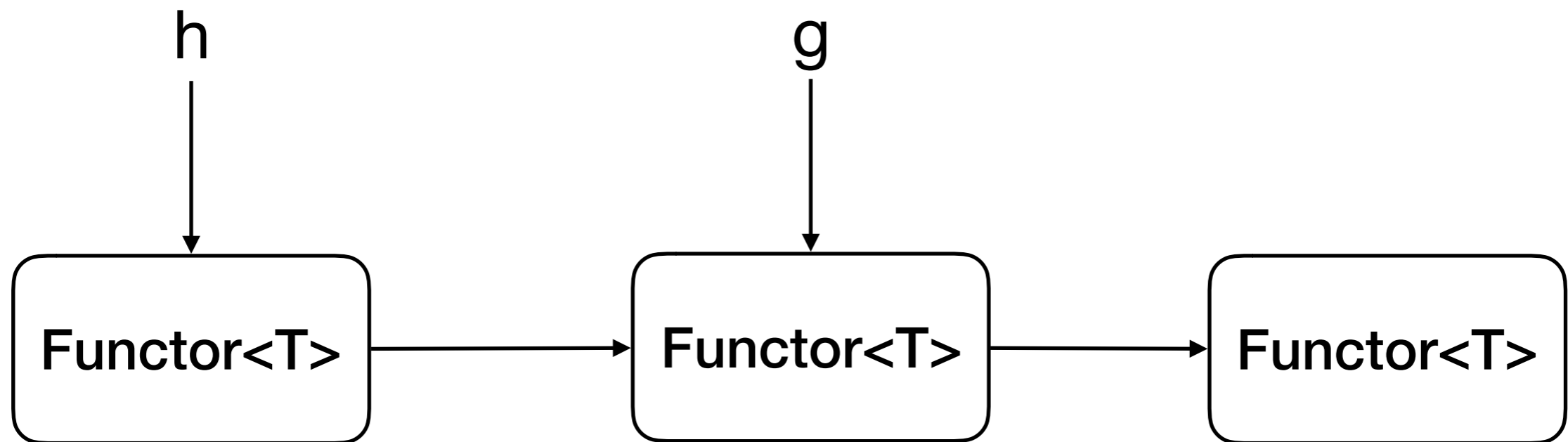
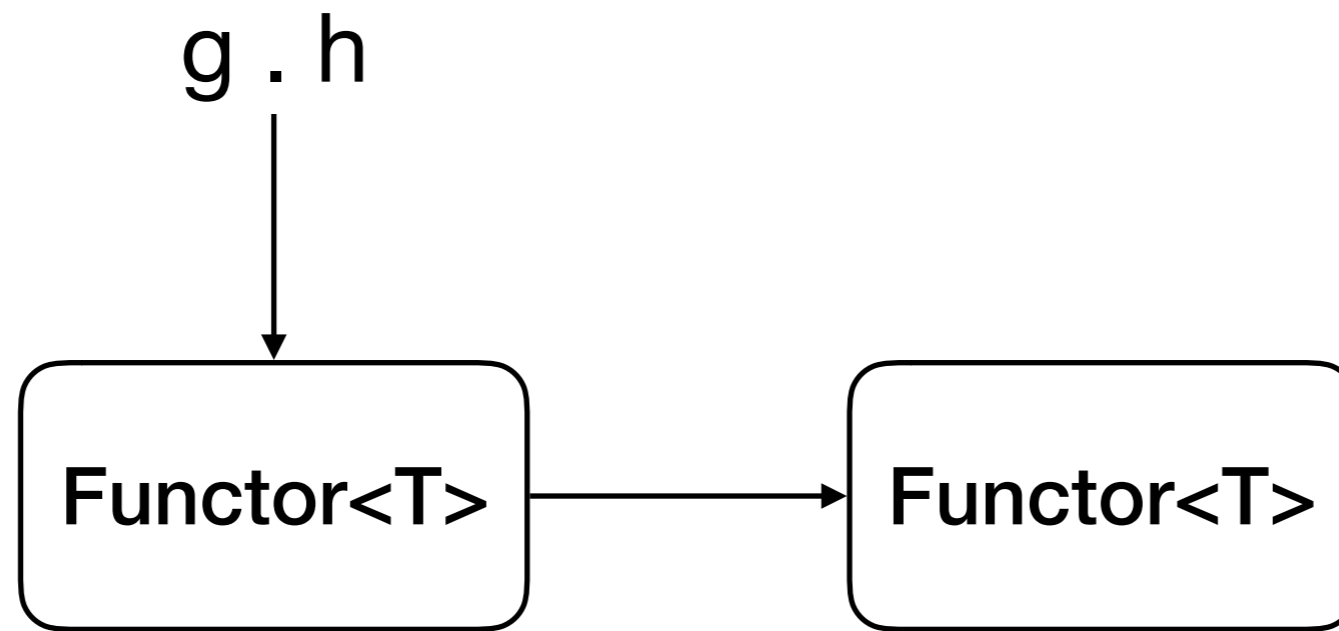
```
interface Functor<T> {  
    public <R> Functor<R> f(Function<T,R> func);  
}
```

# Functor Laws

Explained in OO way



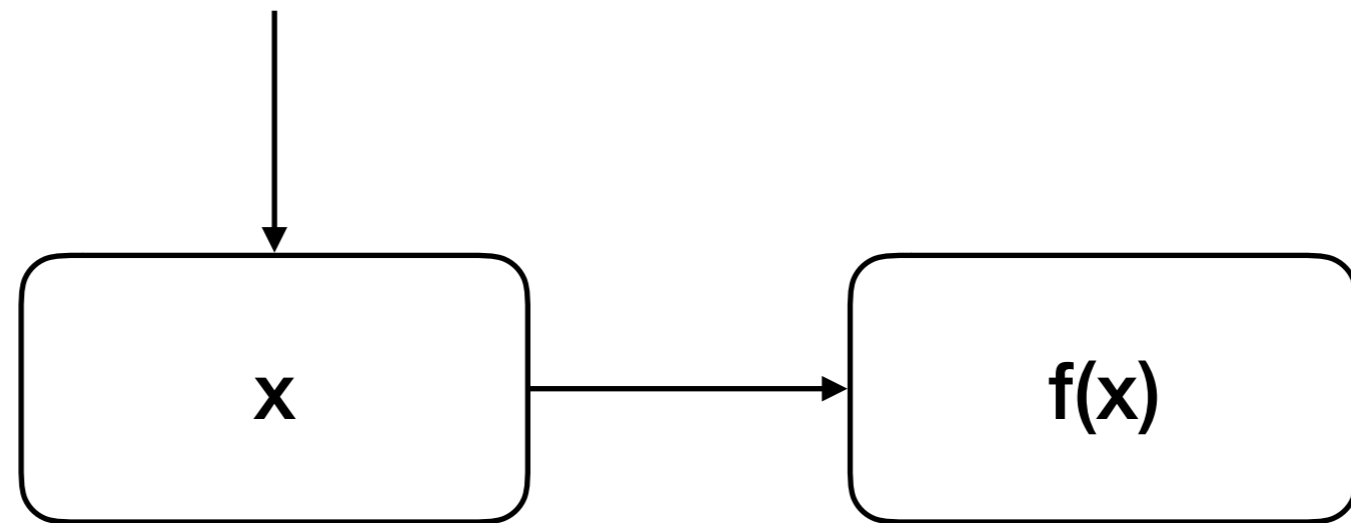
No change!





# “modify things in a box”

$f : T \rightarrow R$



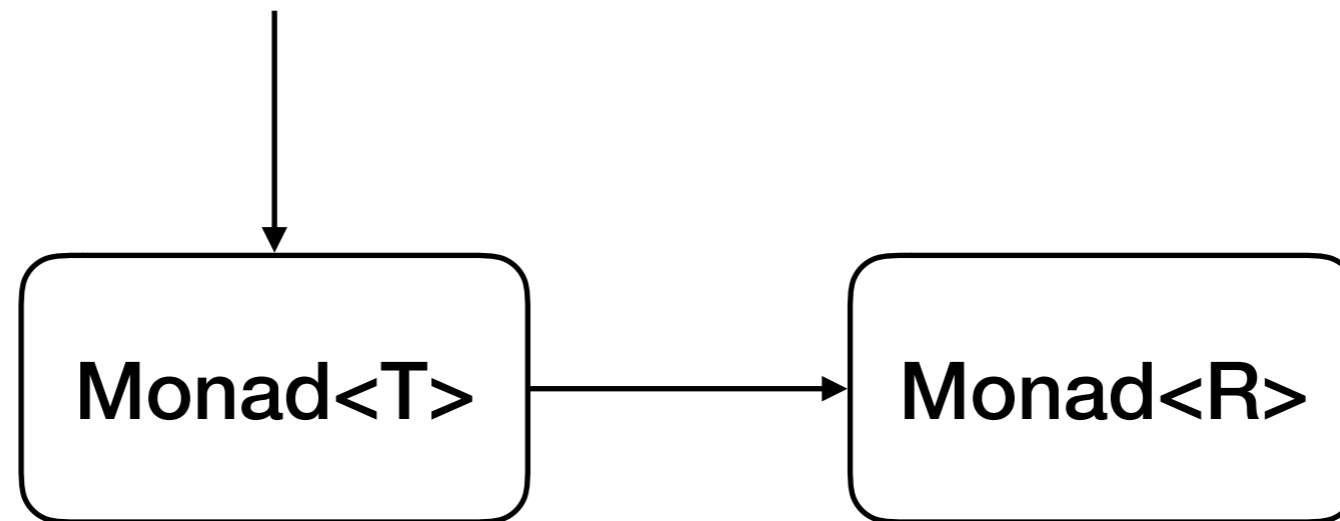
# Functors

- LambdaList
- InfiniteList
- Stream
- Optional
- :

# Monad

Explained in OO way

$f : T \rightarrow \text{Monad}\langle R \rangle$



```
interface Monad<T> {  
    public <R> Monad<R> f(Function<T,Monad<R>> func);  
}
```

```
interface Monad<T> {  
    public <R> Monad<R> f(Function<T,Monad<R>> func);  
}
```

```
interface Stream<T> {  
    public <R> Stream<R> flatMap(Function<T,Stream<R>> func);  
}
```

# Monad Laws

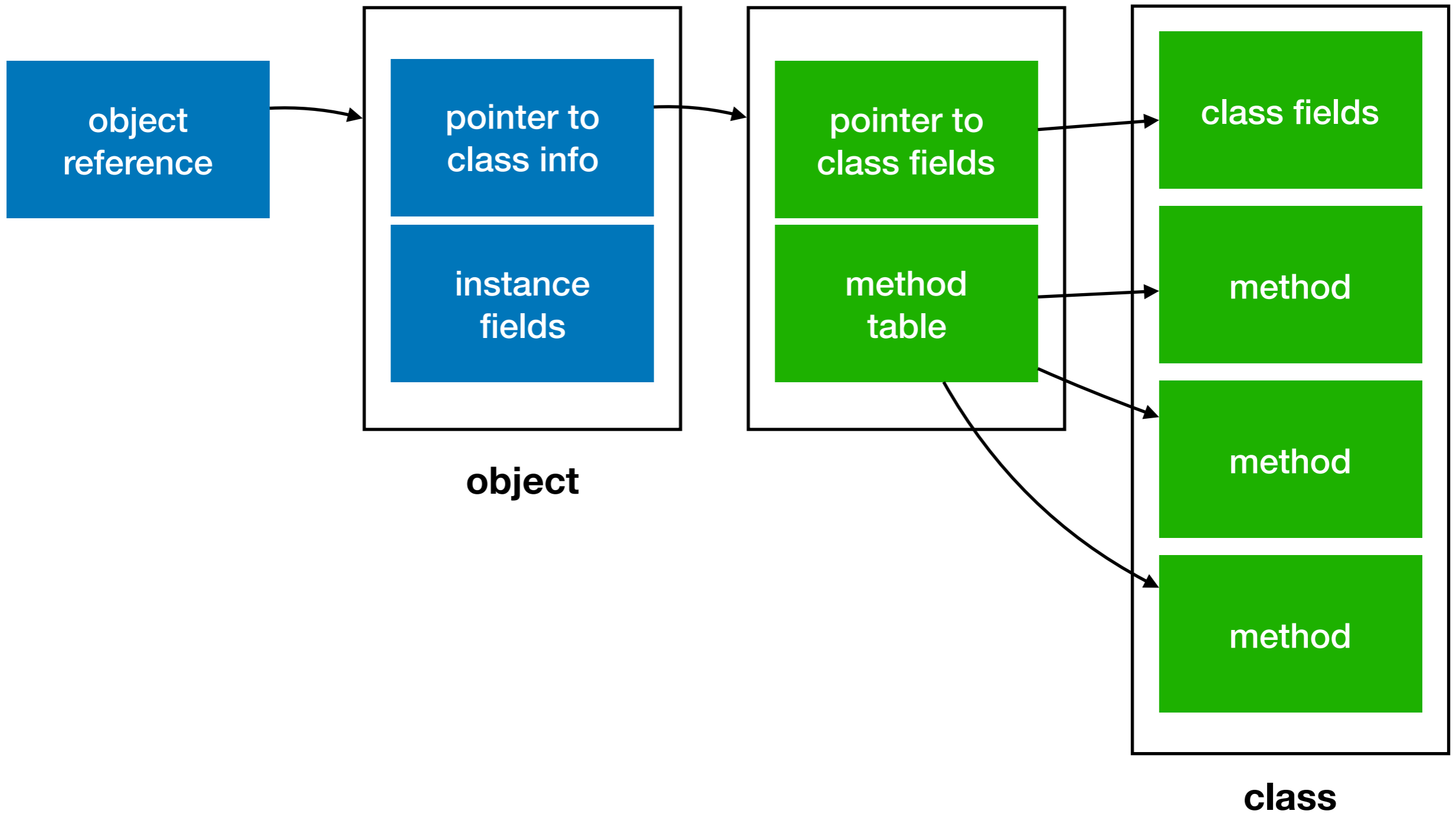
- $\text{Monad.of}(x).\text{flatMap}(f)$   
=  $f(x)$
- $\text{monad.flatMap}(x \rightarrow \text{Monad.of}(x))$   
=  $\text{monad}$
- $\text{monad.flatMap}(f).\text{flatMap}(g)$   
=  $\text{monad.flatMap}(x \rightarrow f(x).\text{flatMap}(g))$

# Monads

- Stream
- Optional
- :

**Using lambdas for  
policy / strategy  
(instead of polymorphism)**





# Using lambdas as observers