

# An Adaptive Updating Protocol for Reducing Moving Object Database Workload

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## ABSTRACT

In the last decade, spatio-temporal database research focuses on the design of effective and efficient indexing structures in support of location-based queries such as predictive range queries and nearest neighbor queries. While a variety of indexing techniques have been proposed to accelerate the processing of updates and queries, not much attention has been paid to the updating protocol, which is another important factor affecting system performance. In this paper, we propose a generic and adaptive updating protocol for moving object databases with less number of updating messages between the objects and database server, thereby reducing the overall workload of the system. In contrast to the approach adopted by most conventional moving object database systems where the exact locations and velocities last disclosed are used to predict their motions, we propose the concept of *Spatio-Temporal Safe Region* to approximate possible future locations. Spatio-temporal safe regions provide larger space of tolerance for moving objects, freeing them from location and velocity updates as long as the errors remain predictable in the database. To answer predictive queries accurately, the server is allowed to probe the latest status of some moving objects when their safe regions are inadequate in returning the exact query results. Spatio-temporal safe regions are calculated and optimized by the database server with two contradictory objectives: reducing update workload while guaranteeing query accuracy and efficiency. To achieve this, we propose a cost model that estimates the composition of active and passive updates based on historical motion records and query distribution. We have conducted extensive experiments to evaluate our proposal on a variety of popular indexing structures. The results confirm the viability, robustness, accuracy and efficiency of our proposed protocol.

## 1. INTRODUCTION

Spatio-temporal databases, especially *Moving Object Databases* (MOD), are well studied in the database community. Efficient disk-resident indexing structures [5, 9, 12, 14, 19, 21] have been proposed to support different types of queries for location-based services. Two typical example queries are "Which are the vehicles remaining in Central Park after 10 minutes?" or "Who will be the

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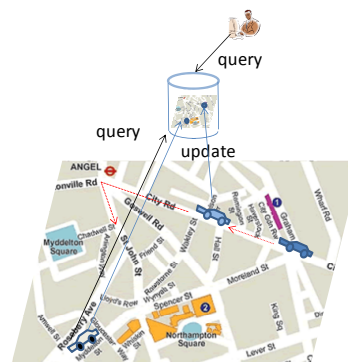


Figure 1: Architecture of a moving object database system

policeman closest to City Hall after 30 minutes?". These queries can be formalized with range query and nearest neighbor query on predicted locations of objects moving in a two-dimensional (2D) space. A moving object database keeps track of all objects by receiving occasional location disclosures from objects. In the meantime, the database server also answers all incoming predictive queries. Fig.1 shows a typical architecture of a moving object system.

While most existing studies on moving object databases focus on index and query efficiency, less effort has been made to address the issue on the updating mechanism/protocol, which is another crucial factor affecting the system workload and performance even more. Considering the limited room of technical advances on indexing structures and query optimization, it is now important to reconsider the design of the updating protocol. This paper is the first attempt on a systematic investigation on this possibility. In particular, we propose a new adaptive updating protocol, which reduces the object updating frequencies by maintaining only approximate motions instead of exact ones in the database system. The design of the protocol is on the basis of a careful analysis on the advantages and disadvantages of the existing protocols.

The first generation of moving object databases tracks object locations only. In particular, an object reports its location to the database server every (logical) timestamp. It is inadequate to make prediction with location information only. Later, in order to support predictive queries and reduce update frequency, motion models are introduced to approximate object movements. For example, a linear model with object's location and velocity can be used to predict object's location at any future time, assuming the object moves with a fixed speed along a straight line. Currently, object updating protocols follow some simple strategies, such as *Temporal Bounded Strategy* and *Spatial Bounded Strategy*. In the tempo-

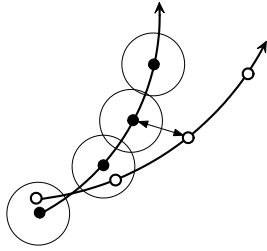


Figure 2: Example of spatial bounded strategy

ral bounded strategy, moving objects update their motion models periodically after a fixed time interval. This scheme is neither effective nor efficient. An update is issued even if the model does not change since the last update while the movement prediction immediately becomes meaningless when the object changes its velocity dramatically soon after the last update. On the other hand, the spatial bounded strategy [13] adaptively decides the update time, depending on the spatial error incurred by the movement model constructed on the previous update. Specifically, two motion models are stored on both the object and the database server. The motion model at the object side is always updated with current movement, which is supposed to be more accurate. The object regularly measures the error of the motion model which has been sent to the server previously [13]. An immediate update is issued if the prediction error is larger than some specified threshold. In Fig.2, we present an example of the spatial bounded strategy. In the figure, solid points (hollow points resp.) represent the predicted locations of the old model (new model resp.). When the distance between the solid point and hollow point in the near future exceeds the tolerance, the object updates its movement model with the database server. To ensure the accuracy of predictive query, the database server is allowed to actively request the model update from the object, when the candidate object does not necessarily satisfy the query condition.

Compared with the spatial bounded strategy [13] introduced above, our new generic updating protocol is equipped with three major features to enhance the performance. First, we adopt the linear movement model instead of the complex high-order models, which can be seamlessly integrated into database system with optimized index structures [4]. While achieving benefits on computational cost and index efficiency with the simple motion model, our empirical studies show that there is no significant difference on prediction quality even when more complicated motion model is employed instead.

Second, our protocol allows approximation on object motion in both spatial and velocity spaces, providing better flexibility on the tuning of the updating protocol. In particular, our protocol relies on the new concept of *Spatio-Temporal Safe Region*, or STSR in short, which is a rectangle in spatio-temporal space bounding the possible location and velocity. In Fig.3, we illustrate the basic idea of our framework following the example in Fig.2. Our system assigns some rectangle to the object as spatial safe region, as well as some maximal and minimal speeds as velocity safe region. A series of rectangles, called *Predicted Regions*, can then be derived to bound the possible locations of the object on subsequent timestamps. An update is necessary if: 1) the location of the object cannot be bounded by the predicted region at the current timestamp, or 2) the movement inferences on the current location and velocity violate some predicted regions in the future. In Fig.3, the object is “safe” at time  $t + 1$  since it stays in the predicted region and its updated movement prediction remains bounded by the follow-

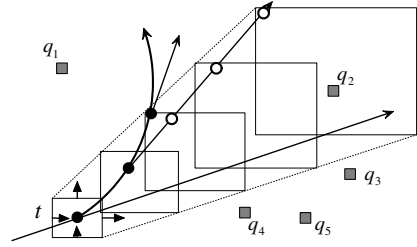


Figure 3: Example of spatial-temporal safe region

ing predicted regions. At time  $t + 2$ , although its new location is still within the predicted region, updating is invoked to ensure that the prediction error on the server side remains within a tolerable bound.

Third, our updating protocol takes both historical motion records and query distribution into consideration, rendering a cost optimization model and an automatic tuning mechanism highly adaptive to the changing world. Recall the example in Fig.3. Given the locations of the recent queries shown in the figure,  $\{q_1, q_2, q_3, q_4, q_5\}$ , careful design on the STSR avoids the potential overlaps between the predicted regions and popular querying areas in the spatial space. This enables our framework to outperform existing solutions on the maximization of update savings. We summarize the contributions of this paper as follows:

1. We present a generic and adaptive updating protocol for the purpose of reducing the number of update messages while guaranteeing the efficiency and accuracy of predictive queries.
2. We propose a cost model to estimate the update workload incurred by specific moving object(s).
3. We propose cost-based optimization strategies to reduce the updating frequencies.
4. We evaluate the performance of our proposal with a variety of index structures.

## 2. PRELIMINARIES

Assume there are  $n$  moving objects, i.e.,  $O = \{o_1, o_2, \dots, o_n\}$ , being monitored in the system. Following the common assumption on spatio-temporal indexing, the time axis is sliced into snapshots at discrete times, i.e.,  $T = \{0, 1, \dots, t, \dots\}$ . The exact physical location of object  $o_i$  at timestamp  $t$  is denoted by a vector  $l_i^t = (l_i^t.x, l_i^t.y)$ . Similarly, the velocity of  $o_i$  at  $t$  is denoted by  $v_i^t = (v_i^t.x, v_i^t.y)$ . With the linear movement model, the predicted location of  $o_i$  at time  $s \geq t$  is estimated as  $pl_i^s$ , i.e.,  $pl_i^s.x = l_i^t.x + v_i^t.x \cdot (s - t)$  and  $pl_i^s.y = l_i^t.y + v_i^t.y \cdot (s - t)$ .

Before delving into the details of our updating protocol, we first introduce the concept of *Spatio-Temporal Safe Region*, as defined below.

### DEFINITION 2.1. *Spatio-Temporal Safe Region (STSR)*

Given a moving object  $o_i$ , a *Spatio-Temporal Safe Region (STSR)* for  $o_i$  is represented by a tuple  $R(o_i) = (LR, VR, t_r, t_e)$ , where  $LR$  is a rectangle in the physical space (i.e., the space where the object moves),  $VR$  is a rectangle in the velocity space,  $t_r$  is the reference time, and  $t_e$  is the expiry time.

Given an STSR  $R(o_i)$ , the spatial rectangle  $LR$  is bounded by  $LR.x^+$ ,  $LR.x^-$ ,  $LR.y^+$ ,  $LR.y^-$  on the two dimensions respectively. Similarly, the velocity rectangle  $VR$  of  $R(o_i)$  is bounded by

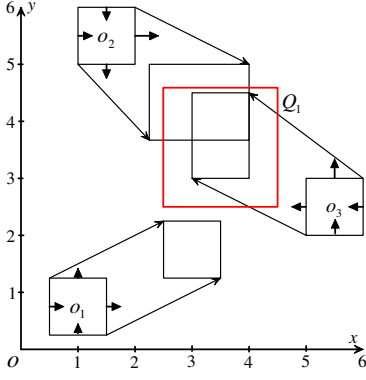


Figure 4: Example of STSR

STSR	LR	VR	$t_r$	$t_e$
$R(o_1)$	$[0.5, 1.5] \times [0.2, 1.2]$	$[0.5, 0.5] \times [1, 1]$	1	4
$R(o_2)$	$[1, 2] \times [5, 6]$	$[1.2, 2] \times [-1.4, -1]$	2	5
$R(o_3)$	$[5, 6] \times [2, 3]$	$[-1, -1] \times [0.5, 0.75]$	1	5

Table 1: Details on the STSR in Fig.4

$VR.x^+, VR.x^-, VR.y^+, VR.y^-$ . Intuitively,  $LR$  relaxes the location of  $o_i$  at reference time  $t_r$ , and  $VR$  approximates the possible velocities of  $o_i$  between  $t_r$  and  $t_e$ . A predicted region, as defined below, infers the possible locations of  $o_i$  at time  $t$  before the expiry time  $t_e$ .

**DEFINITION 2.2. Predicted Region**

Given an STSR  $R(o_i) = (LR, VR, t_r, t_e)$  and inferring time  $t$  ( $t_r \leq t \leq t_e$ ), the predicted region of  $o_i$  at time  $t$ ,  $P_i^t = P.x^+, P.x^- \times P.y^+, P.y^-$ , is the maximal spatial rectangle expanded from  $LR$  with respect to  $VR$ , where

$$\begin{aligned} P.x^+ &= LR.x^+ + VR.x^+(t - t_r) \\ P.x^- &= LR.x^- + VR.x^-(t - t_r) \\ P.y^+ &= LR.y^+ + VR.y^+(t - t_r) \\ P.y^- &= LR.y^- + VR.y^-(t - t_r) \end{aligned}$$

The definition above assumes that the inferring time  $t$  is no earlier than the reference time  $t_r$ , which can be easily relaxed. When  $t < t_r$ , the predicted region is calculated with the “reverse” velocity bounding rectangle, which is  $VR.x^+, VR.x^- \times VR.y^+, VR.y^-$ . The predicted region is

$$\begin{aligned} P.x^+ &= LR.x^+ + VR.x^-(t - t_r) \\ P.x^- &= LR.x^- + VR.x^+(t - t_r) \\ P.y^+ &= LR.y^+ + VR.y^-(t - t_r) \\ P.y^- &= LR.y^- + VR.y^+(t - t_r) \end{aligned}$$

An STSR  $R(o_i) = (LR, VR, t_r, t_e)$  is consistent with the moving object  $o_i$  at time  $t \leq t_e$ , if both of the following two conditions hold: 1) Current location  $l_i^t$  remains in the predicted region  $P_i^t$  inferred from  $R(o_i)$ ; and 2) The predicted location  $pl_i^s$  remains in the predicted region  $P_i^s$  for any  $t < s \leq t_e$ .

Note that the consistency only depends on the locations, which remains valid even when the velocity of  $o_i$  at time  $t$  is out of the velocity rectangle  $VR$ .

As an example, Tbl.1 lists the STSRs of three objects  $\{o_1, o_2, o_3\}$  which are illustrated in Fig.4. Based on Definition 2.1 and 2.2, we

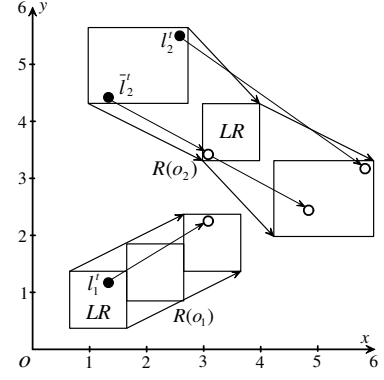


Figure 5: Examples of consistency verification

can derive the predicted regions of the objects at timestamp  $t = 3$ , as shown in Fig.4.

According to the above definitions, it is straightforward to verify the consistency of the location with the given STSR on the client side, i.e., the moving object, by simply checking the predicted locations of the object at every timestamp before the expiry time  $t_e$ . Since we adopt the linear model on deriving the predicted regions, the verification process can be simplified by checking the predicted location (or exact current location) at only three timestamps. In particular, the object first tests if the current timestamp is beyond the expiry time  $t_e$ . If the STSR has already expired, the algorithm returns a negative answer immediately. Otherwise, the object then checks if the current location  $l_i^t$  and the predicted location  $pl_i^{t_e}$  are both covered by the predicted regions  $P_i^t$  and  $P_i^{t_e}$  respectively. Finally, if the current timestamp  $t$  is ahead of the reference time  $t_r$ , we also need to see if the predicted location at  $t_r$  is adequately covered by the location rectangle  $LR$ . The verification algorithm is summarized in Algorithm 1 in Appendix B.

In Fig.5, we give three examples to show why the conditions above are sufficient to prove the validity of a STSR. Two STSRs,  $R(o_1)$  and  $R(o_2)$ , are shown in the figure. The solid dots denote the current locations and hollow dots represent the predicted locations. The reference time of  $R(o_1)$  is the current timestamp. Since the current location  $l_1^t$  is inside the location rectangle and the predicted location is covered by the predicted region,  $R(o_1)$  remains valid. The reference time of  $R(o_2)$ , on the other hand, is after the current timestamp. The predicted regions between  $t$  and  $t_e$  are thus extended backwards according to the location prediction formula. If we test only the locations of the current timestamp and expiry time, some false positive STSR may wrongly pass the verification, e.g., the prediction based on  $l_2^t$ . However, when the location at the reference time is also verified, all false positives are pruned, as the movement prediction at  $l_2^{t_e}$  implies.

In this paper, we focus on the processing of predictive range queries. Given a querying rectangle  $QR$  in location space and the querying time  $t_q$ , the predictive range query returns all the objects with predicted locations in  $QR$  at time  $t_q$ . Although we constrain our discussion in range query throughout the paper, it is easy to see that other queries, e.g., k-nearest neighbor query, can be answered with a series of range queries [9].

### 3. UPDATING PROTOCOL

Generally speaking, our updating protocol consists of two types of updates: the active update and the passive update. In the database, each object  $o_i$  is always associated with one (and only one) STSR

$R(o_i)$ , which is kept in the database as well as the memory of the client device. In the following, we discuss the two updates in detail.

### Active Update

On each timestamp, the object  $o_i$  checks if the new motion prediction model with its current location and velocity remains consistent with its STSR  $R(o_i)$ , using Algorithm 1. If there is any inconsistency, it issues an active update to the database server consisting of its current location and velocity.

At the server side, the database system continuously listens to any incoming active updates from the objects. If one of the moving objects  $o_i$  updates its location and velocity at time  $t$ , the system renews the record of the object in the database. The system then calculates a new STSR for  $o_i$  based on the updated record. The new STSR is sent to the object  $o_i$ , while the corresponding record in the database is also refreshed accordingly. An outline of the update procedure can be found in Algorithm 2 in Appendix B.

### Query Processing and Passive Update

While active updates are initiated by the objects themselves, passive updates are issued when the database processes predictive range queries. Typically, predictive range queries in most moving object databases are processed using a filter-and-refine approach, which determines candidate objects based on their predicted regions and verifies them by probing passive updates if necessary. A candidate set is constructed first by retrieving all objects overlapping with the query range  $QR$  at query time  $t_q$ , based on the predicted regions of the STSRs. For each candidate object  $o_i$ , if the predicted region of  $o_i$  is covered by the query range, the object can be safely included into the query result. Otherwise, a request is sent to the object for an update on its current location and velocity, which will be used on the server side to make a more accurate prediction. The object is subsequently listed in the query result if the new predicted location is still in the query range. A general framework for answering range queries based on the concept of STSRs is presented in Algorithm 3 in Appendix B.

Let us recall the example shown in Fig.4, and see how predictive range queries can be answered with STSRs. If a range query is issued in the rectangle region  $QR = [2.5, 4.5] \times [2.5, 4.5]$  at querying time  $t_q = 3$ , the predicted regions can be calculated according to the inference equations above. For object  $o_3$ , for example, the predicted region at timestamp  $t = 3$ ,  $P_3^3$ , is the rectangle  $[3, 4] \times [3, 4.5]$ . Since  $P_3^3$  is covered by the query region completely,  $o_3$  is a positive result if it remains consistent with its current STSR. On the other hand, there is no overlap between  $P_1^3$ , implying that  $o_1$  is a negative result. Unlike the other  $o_1$  or  $o_3$ , the case of  $o_2$  is more complicated, since the predicted region  $P_2^3$  partially overlaps with  $QR$ . To clarify if  $o_2$  is in the query result or not, the system sends an update request to  $o_2$  for its current motion parameters, i.e., the location and velocity.

To put the updating protocol in use, there are two issues to resolve. First, to minimize the workload of the system, the STSR calculation algorithm plays an important role in finding an optimal STSR (Step 1 in Algorithm 2). Recall the example in shown Fig.4, which demonstrates that overall update cost, including both active and passive updates, can be reduced if we extend the predicted regions as much as possible without too many overlapping query ranges. We will expand on this idea with further details in Sec.4.1 and the corresponding optimization techniques for better STSR design in Sec.4.3. Second, considering different index structures in moving object databases, objects are stored and searched in different ways, even with the same linear motion model. Therefore,

it remains unclear so far how existing database systems support the search for all objects whose corresponding predicted regions overlap with the query range. This is important in query processing for efficient retrieval of candidate objects in the filter step (Step 1 in Algorithm 3). In Sec.C in the appendix, we answer this question by showing that it does not take much effort to modify existing moving object indexing structures to support these queries.

## 4. OPTIMIZATION TECHNIQUES

### 4.1 Cost Model

In this section, we present a cost model estimating the probable validity of a given STSR. As introduced in Sec.3, there are two types of updates, namely *Active Update* and *Passive Update*. Either active update or passive update leads to a new STSR. We use  $P_a(R(o_i))$  and  $P_p(R(o_i))$  to denote the probabilities of active update and passive update happening on  $R(o_i)$  before the expiry time  $t_e$ . An STSR remains valid until the expiry time  $t_e$  with probability:

$$P_{valid}(R(o_i)) = (1 - P_a(R(o_i))) \cdot (1 - P_p(R(o_i))) \quad (1)$$

Obviously, a good STSR should maximize  $P_{valid}$ . Intuitively, a larger  $LR$  and a larger  $VR$  lead to lower probability of  $P_a(R(o_i))$  but higher probability of  $P_p(R(o_i))$ , and vice versa. To optimize Equation 1, it is important to estimate both probabilities first.

#### Active Update Probability

An active update is issued by object  $o_i$  if the previous STSR is no longer consistent with the current location and velocity. Given an STSR  $R(o_i)$ ,  $P_a(R(o_i))$  is the probability of inconsistency happening before the expiry time  $t_e$  of  $R(o_i)$ . Without knowing the exact future trajectory of  $o_i$ , it is hard to estimate  $P_a(R(o_i))$ . If we assume the previous motion model doesn't change,  $R(o_i)$  will always be valid until  $t_e$ ; on the other hand, it is hard to indicate the possible changes in the motion without any additional knowledge on the future trajectory. However, if all the similar historical trajectories are recorded in the database, the accumulated statistical information provides probability estimation on the active update. Unfortunately, this solution is impractical due to the high cost in both storage and processing on the trajectories. To facilitate effective and efficient statistical estimation, the database system maintains a set of STSR update records, as defined below, to simulate the historical trajectories of objects.

#### DEFINITION 4.1. STSR Update Record

An STSR update record is a tuple  $(R(o_k), o_k, l_k^{t_u}, v_k^{t_u}, t_u)$  where  $k$  is the identity of the associated moving object,  $t_u$  is the time when the update record is generated,  $l_k^{t_u}$  and  $v_k^{t_u}$  are the location and velocity of  $o_k$  at  $t_u$ , and  $R(o_k) = (LR, VR, t_r, t_e)$  is the latest STSR of  $o_k$  before the update time  $t_u$ .

The STSR update records are maintained in a separate table in the database, called the *Update Record Table*. A record is inserted into the table when: 1) an update from  $o_k$  is received due to the violation on  $R(o_k)$ , or 2) the previous STSR  $R(o_k)$  expires. In the first case, the location and velocity at update time are written into the record. In the second case, NULL values are inserted instead. This implies that each STSR issued in the past has a record kept by the database system in the update history table.

Next, we introduce the concept of *Record Coverage* to evaluate the robustness of a new STSR with respect to similar STSR update records in the update record table. Specifically, an STSR  $R(o_i)$  covers an STSR update record  $U = (R(o_k), o_k, l_k^{t_u}, v_k^{t_u}, t_u)$ , if

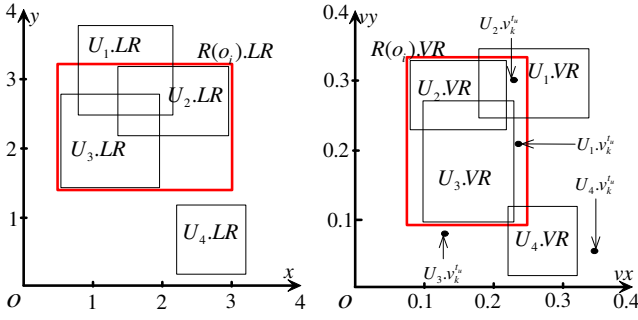


Figure 6: Coverage of STSR on update records

1)  $R(o_i).LR$  covers  $R(o_k).LR$ , and 2)  $R(o_i).VR$  covers both  $R(o_k).VR$  and  $v_k^{t_u}$ . Without ambiguity, we use  $R(o_i) \supseteq U$  to denote the coverage relationship, in which  $U$  is a specific update record. In Fig.6, for example, we present an example on the coverage relationship with an STSR  $R(o_i)$  and four update records  $\{U_1, U_2, U_3, U_4\}$ . The location rectangle  $LR$  of the update records are shown with black thin lines in the spatial space on the left. Similarly, the velocity rectangle  $VR$  and the velocity at update time  $v_k^{t_u}$  are plotted in the velocity space on the right. Given the STSR  $R(o_i)$  marked with red thick lines in both spaces,  $R(o_i)$  covers  $U_2$  by the definition above.  $U_3$  is not covered by  $R(o_i)$  since the updated velocity  $v_k^{t_u}$  of  $U_3$  is out of the velocity rectangle of  $R(o_i)$ .

If the STSR  $R(o_i)$  covers an update record  $U$ , it is able to remain consistent until the expiry time, if  $o_i$  follows the same trajectory of  $o_k$  when  $U$  was recorded for  $o_k$ . This motivates the following definition of *Coverage Rate* to approximate the probability of an active update on the new STSR  $R(o_i)$ .

**DEFINITION 4.2. Coverage Rate**

Given an STSR  $R(o_i)$  and a group of similar STSR update records  $U_{NN}$ , the coverage rate of  $R(o_i)$  is measured by  $\frac{|\{U_i \in U_{NN} \mid R(o_i) \supseteq U_i\}|}{|U_{NN}|}$

We now discuss the similar update record set  $U_{NN}$  as shown in the above definition. To get all update records related to the current moving object  $o_i$ , the system retrieves all update records in  $U_{NN}$ , if the location rectangle  $U_i.LR$  and velocity rectangle  $U_i.VR$  of the record  $U_i$  cover the location  $l_i^{t_r}$  and velocity  $v_i^{t_r}$  at reference time  $t_r$ , respectively. As a summary, we have

$$P_a(R(o_i)) = \frac{|\{U_i \in U_{NN} \mid R(o_i) \supseteq U_i\}|}{|U_{NN}|}$$

**Passive Update Probability**

A passive update is issued when it is not sufficient to decide if an object meets the query with its current STSR stored in the database, i.e., the predicted region partially overlaps with the query region. To estimate the number of passive updates for a given STSR  $R(o_i)$ , it is necessary to predict the probability of the event of partial overlap. To simplify the model and save computational cost, we relax the probability by including any overlap event even if the predicted region is completely covered by the query range. This relaxation does not greatly affect estimation error since the query range is usually not large enough to cover many predicted regions.

Following the existing assumptions on the performance analysis of range queries [5, 12, 19], we assume the querying location and querying time follow the uniform distribution in spatial space and temporal space. The probability of a predicted region overlapping any range query at time  $t$  is thus proportional to the volume of the predicted region.

For an STSR  $R(o_i)$  issued at update time  $t_u$ , the total volume of all predicted regions at timestamps between  $t_u$  and  $t_e$  is denoted by  $Vol(R(o_i))$ . By using the following notations to replace the side lengths of location rectangle and velocity rectangle, i.e.,  $LD_x = LR.x^r - VR.x^l$ ,  $LD_y = LR.y^r - VR.y^l$ ,  $VD_x = VR.x^r - VR.x^l$ , and  $VD_y = VR.y^r - VR.y^l$ , the total volume can be further simplified:

$$Vol(R(o_i)) = \sum_{t=t_u}^{t_e} (LD_x + VD_x(t - t_r)) \cdot (LD_y + VD_y(t - t_r))$$

If the expected number of queries happening at each timestamp is  $N$  and the volume of the whole spatial space is  $S$ , the probability of not meeting any range query is approximated by the ratio of total volume with respect to the expected query volume.

$$P_p(R(o_i)) = \max \left( 1 - \frac{Vol(R(o_i)) \cdot N}{(t - t_r)S}, 0 \right)$$

**4.2 Calculation of Optimal STSR**

In this section, we present an optimization method to find an STSR  $R(o_i)$  to minimize the expected update cost. Given the cost model presented above, the estimation on the active update probability  $P_a(R(o_i))$  depends on the number of update records covered by  $R(o_i)$ . This implies that there are only  $2^{|U_{NN}|}$  different values for the possible active update probability for  $R(o_i)$ . Each possible value is associated with a group of covered records. This motivates our optimization technique of modeling the record covering with a series of discrete events.

To find the optimized STSR, an initial STSR  $R(o_i)$  is first created with minimal  $LR$  and minimal  $VR$  covering only  $l_i^t$  and  $v_i^t$  of  $o_i$  respectively. The optimization procedure executes iteratively. In each iteration, it tries to expand the STSR to cover one more update record from the remaining uncovered records in  $U_{NN}$ . If the estimated update cost does not further decrease after some iterations, the optimization procedure stops and returns the final STSR. The detailed algorithm for the optimization procedure is presented in Algorithm 4 in Appendix B.

In Fig.7, we illustrate an example of the optimization algorithm, using the data shown in Fig.6. The red square points are the location and velocity of the object  $o_i$  at time  $t_r$ . At the beginning of the algorithm, the STSR  $R(o_i)$  is initialized with the minimum square covering the red squares in both spaces. Since the inclusion of any update record has the same reduction effect on  $P_a(R(o_i))$ , the optimal update record to cover next actually has the minimum increase on the passive update probability  $P_p(R(o_i))$ . By testing all update records,  $U_2$  is selected according to the selection criterion. The STSR  $R(o_i)$  grows in both spatial and velocity spaces to cover the update record  $U_2$ , as shown in Fig.7(a). In the second iteration, as shown in Fig.7(b), the update record  $U_1$  is picked since the decrease on  $P_a(R(o_i))$  is still larger than the increase on  $P_p(R(o_i))$ . The algorithm terminates after the second iteration, when there is no other expansion that can further reduce the estimated cost. Note that this algorithm works in a greedy manner. Hence, it does not guarantee convergence to the global optimum.

The retrieval of the similar update record set  $U_{NN}$  discovers all update records covering both the location and velocity of the current object. To efficiently support such a retrieval process, an index is built on the update records with respect to their location rectangle and velocity rectangle. Given the 4D index structure,  $U_{NN}$  is simply retrieved with the issuance of a point query at location  $l_i^t$  and velocity  $v_i^t$ . The computation of  $P_p(R(o_i))$  takes constant time since the total volume  $Vol(R(o_i))$  can be summed up quickly by the formula. In each iteration, all the remaining update records are



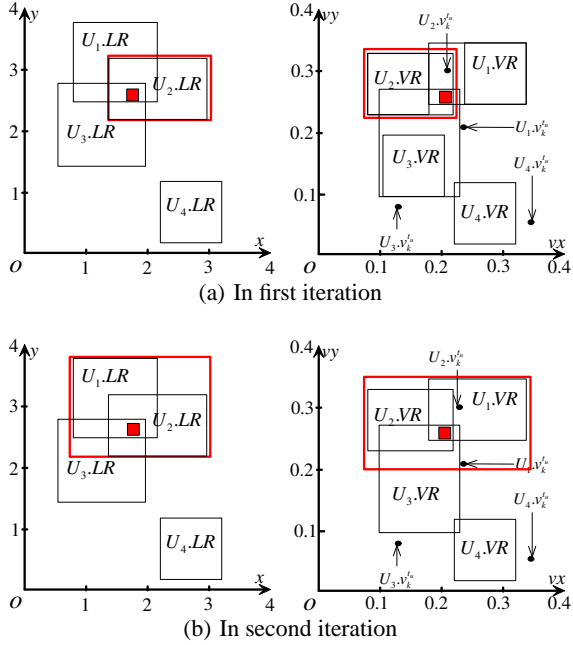


Figure 7: Example of optimization algorithm

tested in sequence. This leads to  $O(m^2)$  complexity in the worst case, if  $m$  update records are retrieved from the 4D index structure.

### 4.3 Reducing Computation Cost

The STSR calculation algorithm runs in quadratic complexity in terms of the number of STSR update records. Thus, the computation cost on the STSRs can be very high if every single object update runs the construction method. To reduce computation cost, there are two simple methods, namely *Static STSR*, and *Global Dynamic STSR*. To distinguish from the basic strategy with independent computation of STSR for each object, we call the basic solution *Personal Dynamic STSR*.

With static STSR strategy, there is a group of fixed parameters  $\{\Delta_l, \Delta_v, \Delta_t\}$ .  $\Delta_l$  and  $\Delta_v$  are rectangles in the spatial and velocity space, covering the origins, respectively.  $\Delta_t$  is a positive constant value that specifies the length between reference time and expiry time. For any updating moving object  $o_i$  with location  $l_i^t$ , velocity  $v_i^t$  and time  $t$ , the location rectangle  $LR$  for the STSR  $R(o_i)$  for  $o_i$  is computed by moving  $\Delta_l$  aligning  $l_i^t$  with the origin, i.e.,

$$\begin{aligned} LR.x^+ &= l_i^t.x + \Delta_l.x^+ \\ LR.x^- &= l_i^t.x + \Delta_l.x^- \\ LR.y^+ &= l_i^t.y + \Delta_l.y^+ \\ LR.y^- &= l_i^t.y + \Delta_l.y^- \end{aligned}$$

Similarly, the velocity rectangle  $VR$  in  $R(o_i)$  is also constructed by expanding the velocity with margins in  $\Delta_v$  on both dimensions. The expiry time of  $R(o_i)$  is  $t + \Delta_t$ . This strategy is supposed to incur minimal computation cost, since the parameters are never updated after the specification at the beginning. As an example, if the parameter set is  $\{\Delta_l = (-1, 1) \times (-2, 1), \Delta_v = (-0.2, 0.1) \times (-0.1, 0.3), \Delta_t = 5\}$ , object  $o_i$  updates at time  $t_r = 10$  with location  $l_i^t = (10, 15)$  and velocity  $v_i^t = (1, 2)$ , the new STSR  $R(o_i)$  is constructed with  $LR = (9, 11) \times (13, 16)$ ,  $VR = (0.8, 1.1) \times (1.9, 2.3)$  and  $t_e = 15$ .

With the strategy of global dynamic STSR, each global parameter set  $\{\Delta_l, \Delta_v, \Delta_t\}$  is valid only in an interval on the time axis.

There is one and only one valid global parameter set at any timestamp  $t$ . The object updates are handled with the global parameters valid at the update time, as is done with the static strategy. There is some computation cost incurred by this strategy to calculate a new parameter set when the previous global parameter set is expiring. The computation on parameter re-computation can be run offline when the system has free CPU cycles for use, not affecting the performance of the database system.

In *Global Dynamic STSR Strategy* a global STSR expansion plan is designed and updated from time to time, with evolution on the index structure. To make Algorithm 4 applicable on the search of optimal STSR expansion plan, we present some modifications to the original algorithm.

In the original algorithm, the STSR update records covering the updating location of the current object,  $U_{NN}$ , are first retrieved. On the global expansion optimization algorithm, however, there does not exist such similar update record set since the optimization is not location dependent. Thus, instead of finding a group of update records in the table, all records are utilized in the global parameter search by aligning all of the centers of STSRs in the update records to the origin. After the alignment operation, a virtual moving object is created with location at the origin and the velocity at the average speeds of the objects on both dimensions. The original algorithm is then applied on the virtual object and the aligned records. The final expansions on both spatial and velocity spaces are recorded and stored in the parameter set  $\{\Delta_l, \Delta_v, \Delta_t\}$ .

## 5. EXPERIMENTAL EVALUATION

We now report experimental results that evaluate effectiveness and efficiency of the STSR based updating protocol. We first studied the performance of the basic STSR protocol under different parameters and then compared it with another state-of-art update mechanism. Finally, we evaluated the performance of different STSR strategies on different indexes.

**Experimental Settings:** Three sources of real and *semi*-real datasets were used in our experiments:

**[TRK]** is a real dataset provided by R-tree Portal[2], which contains trajectories of 276 trucks moving in Athens metropolitan area (see Fig.16(a) in Appx.D.1). The trucks update at a rate of 30sec.

**[EC]** is another real dataset as a part of the e-Courier datasets[1]. e-Courier keeps track of the movement of all its couriers all over UK (see Fig.16(b) in Appx.D.1). The couriers report their locations (GPS records) every 10sec. We crawled e-Courier for one week and extracted 587 objects (i.e., trajectories) that moved nonstop for over 120ts.

**[SIN]** Due to the lack of large real moving object datasets, we used Brinkhoff generator[3] to generate a set of synthetic movements based on the real road map of Singapore (see Fig.16(c) in Appx.D.1). We generated SIN datasets of different sizes and used the one containing 100K objects by default.

In Appx.D.1, Tbl.2 lists the specifications of the three data sources above, including the data space, maximum object speed and the mapping from physical time to logical time (a timestamp). The query load of the experiments consists of a given number of predictive range queries. Each of these range queries is square-sized, with a preset side length. Since the datasets differ in data space size, we use  $qlen$  to represent the percentage of the side length of the query over the length of the entire data space. In the experiments,  $qlen$  is varied from 0.25% to 4% (e.g., 120m to 2058m for SIN datasets). Queries follow the same distribution as the objects. Specifically, the location of a randomly picked object is used as the center of the query. The average predictive time of queries varies

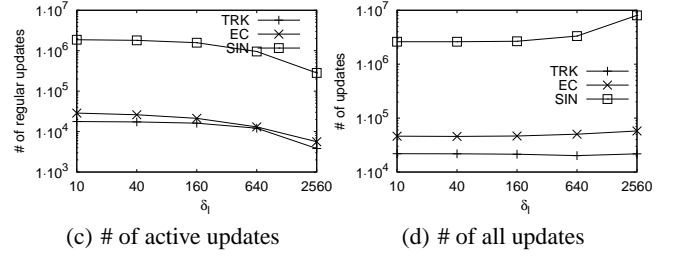
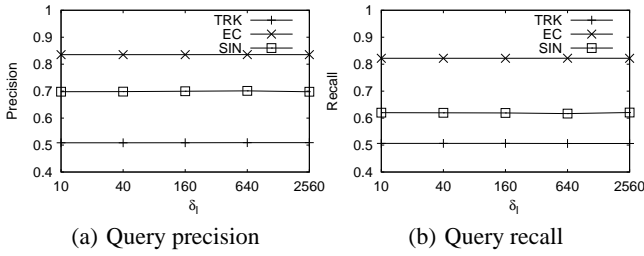


Figure 8: Effect of  $\delta_l$  on STSR performance

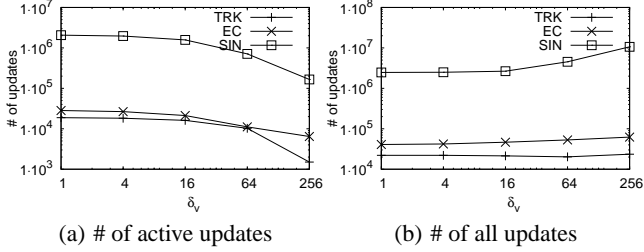


Figure 9: Effect of  $\delta_v$  on STSR performance

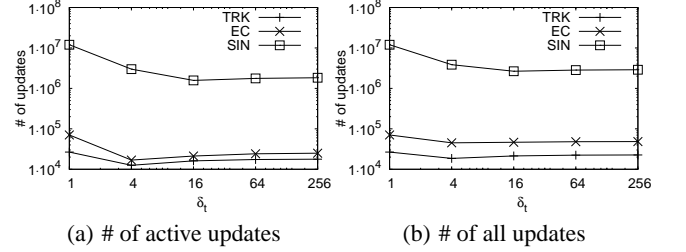


Figure 10: Effect of  $\Delta_t$  on STSR performance

from 1ts (current query) to 256ts. The query frequency  $qfqq$  varies from 1 to 256, which means the corresponding workload contains 0.25 to 4 queries per timestamp. Tbl.3 in Appx.D.1 summarizes the parameters and their values used in the experiments, where default values for variable parameters are shown in bold. All the programs are implemented in C++ and run on a PC with 2.33GHz Intel Core2 Duo CPU, 2.25GB RAM and 200GB SATA disk.

**Study of the basic STSR strategy** We first studied the performance of the basic STSR strategy without regard of the underlying index. We investigated the effect of the three elements of an STSR: the spatial and velocity rectangles  $\Delta_l$  and  $\Delta_v$ ; the temporal length  $\Delta_t$ , i.e., the length of time between expiry time and reference time. A static global parameter set is used in each experiment in this section, where

$$\begin{aligned}\Delta_l.x^+ &= \Delta_l.y^+ = -\delta_l \\ \Delta_l.y^- &= \Delta_l.y^+ = \delta_l \\ \Delta_v.x^+ &= \Delta_v.y^+ = -\delta_l \\ \Delta_v.y^- &= \Delta_v.y^+ = \delta_l\end{aligned}$$

The values of  $\delta_l$ ,  $\delta_v$ , and  $\Delta_t$  are listed in Tbl.3.

Fig.8-Fig.10 shows the effect of  $\delta_l$ ,  $\delta_v$  and  $\Delta_t$  on update workload and the quality of query result. It is worth noting that query precision and recall are not affected by the size of STSRs. During query processing, an object is added to or excluded from the results if its predicted region is fully contained or disjoint with the query region. Otherwise, a passive update is invoked. The query precision and recall are primarily decided by the predictability of data itself, i.e., predicting based on the motion of the object at query issuing time. As  $\delta_l$  increases, meaning a larger initial spatial region, the number of active updates decreases at the expense of more passive updates, resulting in an increase in the total number of updates. As shown in Fig.9,  $\delta_v$  has a similar effect on update times. With a larger  $\delta_v$ , the predicted region expands faster. STSR is more likely to enclose the location of the object and fewer active updates are incurred. On the other hand, a larger predicted region has higher probability to intersect with the query region and more passive updates are required as a result. The temporal length of STSRs  $\Delta_t$  affects the update performance differently. The number of active updates and the total number of updates both decrease with a longer

temporal length  $\Delta_t$ . When  $\Delta_t$  is longer than 16ts, the number of updates do not change much with  $\Delta_t$ . For a small  $\Delta_t$ , the STSR expires quickly, resulting in a large number of active updates.

**Motion Functions** We next investigated the effect of different update policies on update and query performance. We compared the STSR update policy with the recursive function model proposed together with the STP-tree[13]. A client (object) keeps  $h$  historical records and derives a recursive motion function from the  $h$  records. A  $D$  dimensional polynomial function is used to approximate the recursive motion function. For an update, the polynomial function is sent to the server and the system can predict object location using the polynomial function. An active update is issued if the distance between the current location of the object and the location computed from the last reported polynomial function is larger than an error bound  $de$  in the next  $H$  timestamps. In our experiments,  $h$ ,  $D$ ,  $de$  and  $H$  are set to 8, 5, 160m and 30ts respectively. The query processing of the STP is similar to that of the STSR, i.e., the system asks for an update (passive) if it cannot determine if the object is inside the query region or not.

Fig.11- Fig. 14 shows the results on TRK and EC datasets while varying the query predictive time  $qpdt$ <sup>1</sup>. For both TRK and EC, the STP method results in a higher query precision, while the STSR policy has a higher query recall. The differences in precision and recall grow with query predictive time. On TRK, when  $qpdt = 16$ , the precision of STSR is about 10% less than that of STP, however, the recall is about 1.6 times of that of STP. On EC, when  $qpdt = 64$ , the difference in query precision is less than 0.05, while difference in query recall is as large as 0.5. Considering the update load, the number of active updates are less affected by the query predictive time for both methods and the STSR effectively reduces the number of active updates. The number of total updates increases with the query predictive time. Since the predicted region is larger with longer predictive time, the objects are more likely to issue passive updates. When  $qpdt = 16$ , the update times of STSR policy is 20% less than that of STP. When  $qpdt = 64$ , on EC, the update times of STSR is slightly higher than that of STP. As shown in Tbl.2, one timestamp of TRK(EC) corresponds to 30sec(10sec).

<sup>1</sup>We also tested on SIN datasets and investigated the effect of query side length, query frequency and etc. The results are omitted due to space limitation, which can be found on [6].

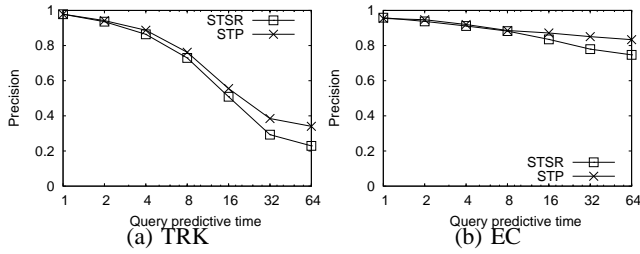


Figure 11: Effect of predictive time on precision

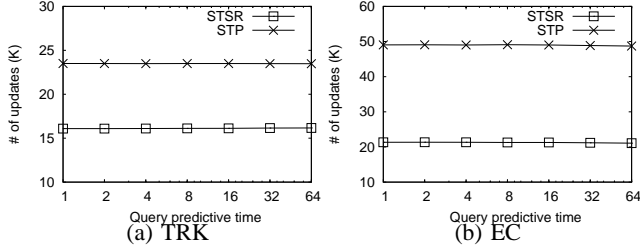


Figure 13: Effect of predictive time on # of active updates

Therefore, a predictive time of  $qpdt = 64$  means to find the objects in specific region after  $32mins(10mins)$ . Based on the reason above, although our experiments show that STSR incurs higher updating costs than STP on EC when query predictive time is larger than 64, we argue that the prediction is meaningful only on a close future.

In summary, our STSR achieves good query precision and outperforms STP update method with regard to query recall. In addition, STSR can effectively reduce update workload when query predictive time is in a reasonable range.

## 6. CONCLUSION

In this paper, we propose a generic updating protocol for moving object databases that is independent of the underlying index structure. By utilizing the concept of spatio-temporal safe region (STSR), objects actively send motion updates including their locations and velocities to the database server only when the prediction error of their current movement is no longer bounded. To guarantee the accuracy of query prediction, the database server asks objects for their latest motion, if they are potential results of the query. To minimize the number of update messages between moving objects and database system, we present a cost model that analysis the approximate cost depending on the recent update records stored in the system. Based on the cost model, an effective optimization technique is designed to reduce the expected update cost. We carefully evaluate three different implementation strategies, including static STSR, dynamic global STSR and dynamic personal STSR. Experiments on the TPR-tree and the  $B^+$ -tree show that our proposed protocol significantly improves the accuracy of query results and reduces the number of update messages.

## 7. ACKNOWLEDGEMENT

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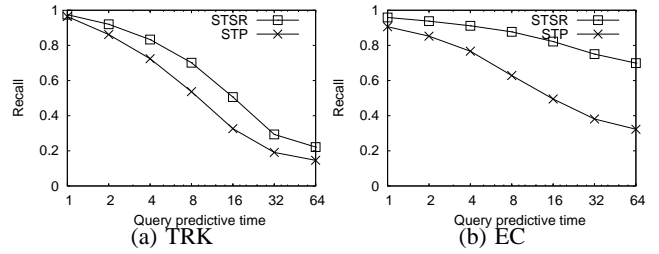


Figure 12: Effect of predictive time on # of active updates

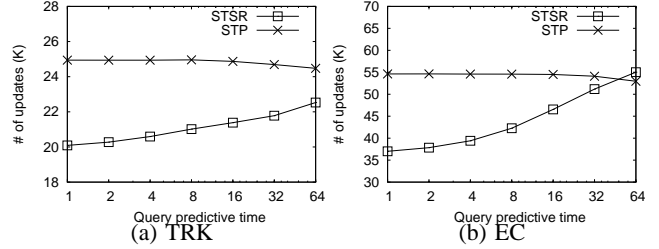


Figure 14: Effect of predictive time on # of total updates

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## APPENDIX

### A. RELATED WORK

#### A.1 Moving Object Indexing

Generally speaking, the index structures for moving objects can be divided into two categories, namely data-partition based structures and space-partition based structures. The TPR-tree [12] and TPR\*-tree [14] are typical examples of data-partition based index structures. Given the locations and velocities of moving objects at their respective update times, the objects are inserted into a multi-dimensional index after transformation into some standard reference time. On each intermediate node in the tree structure, the maximal bounding rectangle (MBR) is used to bound the locations of the objects in the subtree at the reference time. The maximal and minimal speeds of the objects along both dimensions are also recorded. Given a range query at the querying time, the query processing algorithm follows the traditional pruning strategies in the R-tree. In particular, when visiting an intermediate node in the index, the MBR expands with respect to its maximal and minimal speeds. If the expanded MBR does not intersect with the query range, this node can be safely pruned. Otherwise, its child nodes are pushed into a queue for further examination. When the querying time is faraway from the reference time of the index, the MBRs have to be expanded accordingly and the resultant MBRs will have a much higher likelihood of intersecting with the query, causing many paths to be traversed. This is the major drawback of data-partition based index structures.

Among space-partition based indexes, the  $B^x$ -tree and the  $B^{dual}$ -tree are the two representative structures. In the  $B^x$ -tree, spatial space is split into small cells, and the cells are mapped to a one-dimensional space with some space filling curve, such as Z-curve or Hilbert curve. To process a range query, the  $B^x$ -tree first transforms the query range into a sequence of cells in the space. These cells are used as queries, and during tree traversal, the query cells are expanded since the  $B^+$ -tree does not make use of any MBRs. There are two logical sub-trees rolling with time, each of which is responsible for the updates happening in an interval time  $T$ , with  $T$  as the maximal update interval. Unlike the  $B^x$ -tree,  $B^{dual}$  partitions both spatial and velocity spaces into cells, with a similar index structure built on the spatio-temporal cells. Some extensions have been further developed to enhance the effectiveness and efficiency of these structures. In [10], a forest of  $B^x$ -trees is constructed to allow queries on both predicted movements and historical movements. In [5], clusters are dynamically identified in each phase, and different granularity of cells is used improve query efficiency. The index is auto-tuned dynamically based on the object movement. In [21], we show that uncertain models on the moving objects can be easily incorporated into the  $B^x$ -tree, returning more meaningful results on predictive queries. Besides predictive queries for range and nearest neighbor search, some research studies are devoted to other queries, e.g. range aggregation [15].

#### A.2 Continuous Query Optimization

Continuous query processing is also one of the hot topics in the database community. Different from predictive queries, continuous query tries to keep accurate results on range query and nearest neighbor query on the current timestamp, with minimal communication and update costs.

In [16], for example, Wolfson et al. proposed a general framework, providing a mechanism to render approximate trajectories for continuous query processing. In [11], a scalable hash-based framework is proposed for k-Nearest Neighbor (k-NN) and range queries

monitoring on moving objects, with shared execution mechanism on incremental evaluations of the queries. In [8], a generic framework is formulated for an energy-efficient monitoring scheme on moving objects for the range query and the k-NN query, with safe regions constructed for each object of all concurrent queries monitored on the server side. In [20] and [18], grid-based techniques are exploited to reduce the number of messages and enhance quick processing of k-NN queries on moving objects. While the problems consider only queries on static location, more recent works study the query processing problem when queries are moving around, e.g. [17, 7]

Besides work that address traditional range queries and k-NN queries, some extensions have been proposed to support more complicated queries on moving objects. In [23], a safe-region based method is proposed to monitor k-means clustering, utilizing some efficient lower bound computation technique on the local optimum of k-means clustering. In [22], cost models and optimization techniques are deployed to evaluate and maintain skyline queries with minimal communication costs between objects and central server.

### B. ALGORITHMS

In this appendix, we show the detailed pseudocode for algorithms referred in the paper.

Algorithm 1 shows the consistency verification procedure as introduced in Sec.2.

---

**Algorithm 1 Consistency Verification** (timestamp  $t$ , current location  $l_i^t$ , current velocity  $v_i^t$ , current STSR  $R(o_i) = (LR, VR, t_r, t_e)$ )

---

```
1: if  $t > t_e$  then
2:   Report to the server and update with new STSR
3:   Compute the predicted region  $P_i^t$  with respect to  $R(o_i)$ 
4:   if  $l_i^t$  is out of  $P_i^t$  then
5:     Return FALSE
6:   Compute the predicted region  $P_i^{t_e}$  w.r.t.  $R(o_i)$ 
7:   Compute predicted location  $pl_i^{t_e}$  w.r.t.  $l_i^t$  and  $v_i^t$ 
8:   if  $pl_i^{t_e}$  is out of  $P_i^{t_e}$  then
9:     Return FALSE
10: if  $t < t_r$  then
11:   Compute the predicted location  $pl_i^{t_r}$  w.r.t.  $l_i^t$  and  $v_i^t$ 
12:   if  $pl_i^{t_r}$  is out of  $LR$  then
13:     Return FALSE
14: Return TRUE
```

---

Algorithm 2 outlines the processing of an object update in Sec.3.

---

**Algorithm 2 Object Update** (object  $o_i$ , current location  $l_i^{t_r}$ , current velocity  $v_i^{t_r}$ , reference time  $t_r$ )

---

```
1: Calculate a new STSR  $R(o_i) = (LR, VR, t_r, t_e)$  depending
   on  $l_i^{t_r}$  and  $v_i^{t_r}$ 
2: Send  $R(o_i)$  to  $o_i$ 
3: Renew the record of  $o_i$  in the database with  $R(o_i)$ ,  $l_i^{t_r}$  and  $v_i^{t_r}$ 
```

---

Algorithm 3 shows the processing of predictive range query as presented in Sec.3.

Algorithm 4 summarizes the optimization method for constructing a new STSR for an object (Sec.4).

---

**Algorithm 3 Range Query Processing** (Query range  $QR$ , query time  $t_q$ )

---

- 1: Find the object set  $O' \subseteq O$  that the predicted region  $P_i^{t_q}$  overlaps with  $QR$  for any  $o_i \in O'$
  - 2: **for** each  $o_i \in O'$  **do**
  - 3:   **if**  $P_i^{t_q}$  is totally covered by  $QR$  **then**
  - 4:     Include  $o_i$  in the query result
  - 5:   **else**
  - 6:     Send a probe request to  $o_i$  for current location and velocity
  - 7:     Compute the new  $pl_i^{t_q}$  with new location and velocity
  - 8:     **if**  $pl_i^{t_q} \in RQ$  **then**
  - 9:        Include  $o_i$  in the query result
  - 10:    Return the complete query result
- 

---

**Algorithm 4 STSR Optimization** (current location  $l_i^t$ , current velocity  $v_i^t$ , expiry time  $t_e$ )

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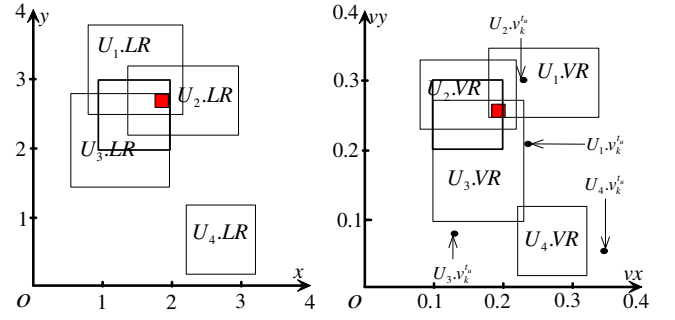
- 1: Search all update records covering  $l_i^t$  and  $v_i^t$  and store them in  $U_{NN}$ .
  - 2: Initialize  $R(o_i)$  with  $LR = \{l_i^t\}$ ,  $VR = \{v_i^t\}$  and  $t_e$
  - 3: Initialize covered update record set  $CR = \emptyset$
  - 4: Initialize the cost  $Cost(R(o_i)) = \infty$
  - 5: **while**  $Cost(R(o_i))$  does not converge **do**
  - 6:   Set optimal expansion record  $U^*$  as NULL
  - 7:   Set optimal expanded STSR  $R^*$  as NULL
  - 8:   **for** each update record  $U_j$  in  $U_{NN}$  **do**
  - 9:     Construct  $R'$  by expanding  $R(o_i)$  to cover  $U_j$
  - 10:    Estimate  $P_a(R')$  and  $P_p(R')$
  - 11:    **if** the cost of  $R'$  is smaller than  $R^*$  **then**
  - 12:     Replace  $R^*$  with  $R'$
  - 13:     Replace  $U^*$  with  $U_j$
  - 14:    **if**  $U_j$  is not NULL **then**
  - 15:     Replace  $R(o_i)$  with  $R^*$
  - 16:    Move  $U^*$  from  $U_{NN}$  to  $CS$
  - 17: Return  $R(o_i)$
- 

## C. PROTOCOL IMPLEMENTATION WITH EXISTING INDEX STRUCTURES

Our proposed protocol can be seamlessly implemented with almost all existing indexing structures on predictive queries for moving objects. In this section, we focus on incorporating our proposed protocol into two popular data structures: the TPR-tree (and its variants) and the  $B^x$ -tree. While these index structures feature in different aspects, e.g., query processing, etc., we discuss primarily the storage issue of STSRs in these structures.

### C.1 TPR-tree and its variants

The STSR optimization algorithm (Algorithm 4) can be embedded directly into the TPR-tree. In the TPR-tree and its variants such as the TPR\*-tree, spatio-temporal bounding rectangles are used to summarize the possible locations and velocities of a group of moving objects. To replace exact location and velocity with STSR as the underlying object representation in the TPR-tree, we only need to make some minor modifications on the leaf nodes of the TPR-tree. Such changes do not affect the intermediate nodes in the TPR-tree, since STSRs only enlarge the spatial temporal bounding boxes of these intermediate nodes. This enables us to equip general STSRs on TPR-tree, without any constraint on the location rectangles and the velocity rectangles.



**Figure 15: Initial location and velocity rectangle for  $B^{dual}$ -tree**

Since the overall structure of the TPR-tree remains the same, the existing update algorithms on the TPR-tree can be reused without any modification. Similarly, the querying algorithm can be left unchanged since we can regard every moving object as the traditional spatial temporal bounding box. The concurrency control mechanism, i.e. the RLink-tree, commonly used by the R-tree indexes remains applicable.

### C.2 $B^x$ -tree

To extend the optimization technique from the TPR-tree to other index structures, such as the  $B^{dual}$ -tree and the  $B^x$ -tree, recall the difference between the TPR-tree and the other two index structures on storage. In particular, the  $B^x$ -tree discretizes the spatial space and the  $B^{dual}$ -tree discretizes both spatial and velocity space.

To facilitate the extension, the only modification of the algorithm is on the initialization of the STSR. In particular, the STSR at the beginning is initialized by expanding the location and velocity to the minimal cells containing them. In Fig.15, we present the initial STSR for the same moving object update in Fig.7. If the widths of the cells in the spatial space and the velocity space are 1 and 0.1 respectively, the new STSR before the first iteration in Algorithm 4 is constructed with  $LR = (1, 2) \times (2, 3)$  and  $VR = (0.1, 0.2) \times (0.2, 0.3)$ . The subsequent expansion iterations follow exactly the same implementation of the optimization algorithm for the TPR-tree.

In the  $B^x$ -tree, spatial space is divided into small cells of equal width on both dimensions. In the original  $B^x$ -tree, the coordinates of the object are transformed into the ID of the cell containing it. This implies that the location rectangle in STSRs stored in the  $B^x$ -tree must also be discretized before insertion. There are two possible solutions to support our protocol with the  $B^x$ -tree. The first option is to allow STSRs to occupy a few spatial cells. With this option, multiple copies of each STSR may be stored in different leaf nodes in the tree, providing more flexible spatial constraints but incurring extra processing costs on queries. The second option requires the location rectangle for every STSR to cover exactly one cell in the partitioned spatial space. This leads to some implementation on the  $B^x$ -tree, on which every moving object resides only in one leaf node. However, it sacrifices some of the tuning ability on the location rectangle if this strategy is adopted. In the empirical studies, we employ the second implementation. Given a moving object waiting for a new STSR, the location rectangle is fixed depending on the space partition of the  $B^x$ -tree.

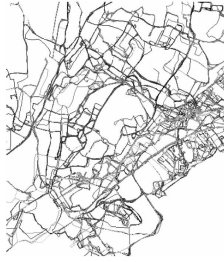
With such storage implementation, both the updating and querying algorithms on the  $B^x$ -tree are simply adopted without any modification. Other optimizations, such as object grouping and cell size tuning [5], can also be applied directly; the Blink-tree concurrency control that is used by the  $B^x$ -tree remains applicable for handling

concurrency operations.

## D. EXPERIMENTS

### D.1 Experimental Settings

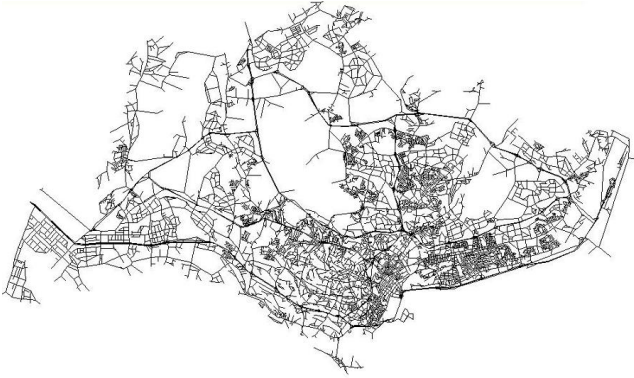
Fig.16 shows the maps of road networks for each datasets.



(a) TRK: Athens metropolitan



(b) EC: UK



(c) SIN: Singapore

**Figure 16: Maps of various data sources**

Tbl.2 shows some specifications on different data sources.

Tbl.3 lists parameters and there values used in the experiments in Sec.5, where the default values are shown in bold.

### D.2 More experimental results

We now proceed to study the performance of different STSR strategies as introduced in Sec.3, including the static STSR, the global dynamic STSR and the personal dynamic STSR. We implement all the three STSR strategies on top of both the TPR-tree

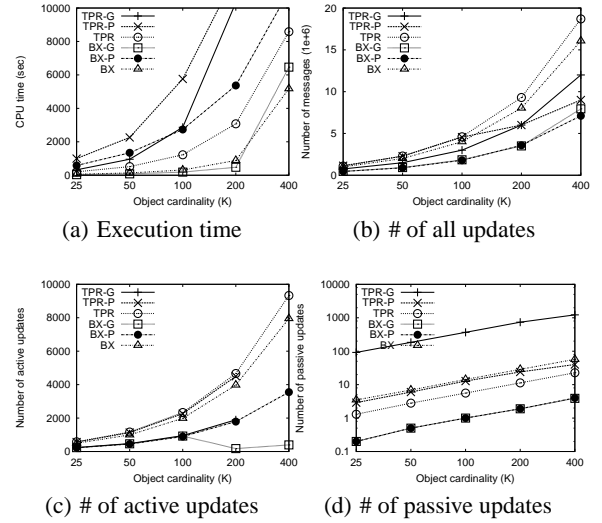
**Table 2: Specifics of data sources**

Data source	TRK	EC	SIN
Space (long side)	47255.6m	287409.0m	51455.0m
Maximum speed	33.5m/s	54.3m/s	325m/s
Unit of timestamp	30sec	10sec	1sec

**Table 3: Experimental parameters and values**

Parameter	Setting
Datasets	TRK, EC, SIN
Time duration	120ts
Data size	25K, 50K, <b>100K</b> , 200K, 400K
Query side length $qlen$	0.25%, 0.5%, <b>1%</b> , 2%, 4%
Query predictive time $qpdt$	1ts, 4ts, <b>16s</b> , 64ts, 256ts
Query frequency $qfqq$	1, 4, <b>16</b> , 64, 256
$\Delta_t$	1ts, 2ts, 4ts, 8ts, <b>16ts</b> , 64ts, 256ts
$\delta_l$	10m, 40m, <b>160</b> , 640m, 2560m
$\delta_v$	1m/ts, 4m/ts, <b>16m/ts</b> , 64m/ts, 256m/ts

and the  $B^x$ -tree as explained in Appx.C. In the remaining part of this section, ‘BX’/‘TPR’ denotes using the  $B^x$ -tree/TPR-tree with static STSR; ‘BX-G’/‘TPR-G’ denotes using the  $B^x$ -tree/TPR-tree with global dynamic STSR; ‘BX-P’/‘TPR-P’ denotes using the  $B^x$ -tree/TPR-tree with personal dynamic STSR.



**Figure 17: Effect of data size**

We first examined the scalability of all update strategies by varying the object cardinality from 25K to 400K. Fig.17 illustrates the total processing time and the number of updates. The total processing includes all computations on queries, STSR computation and updates of the moving objects, in 120 consecutive timestamps.

Comparing to the static and personal dynamic strategies, global dynamic strategy largely decreases the amount of active updates, while adds a number of passive updates. The personal dynamic strategy, on the other hand, reduces the number of passive updates at the expense of more active updates. This is because that the with global dynamic strategy, the size of STSRs is much larger than those generated by personal dynamic strategy.

Second, we examined the effect of various query parameters on the performance of different STSR update strategies. From Fig.17, we have already seen that the ‘TPR-G’ requires the highest ex-

cution time and is the least scalable in terms of object cardinality, while the ‘TPR’ always incurs the highest update times. For clear illustration, we leave ‘TPR-G’ and ‘TPR’ out. The results of these two methods are omitted in the following figures and analysis.

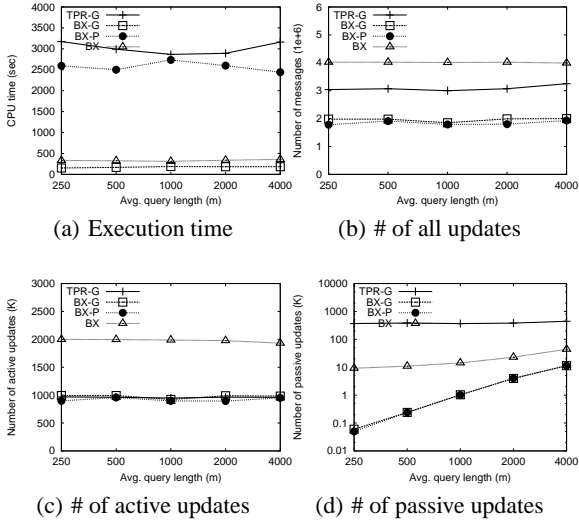


Figure 18: Effect of query side length  $qlen$

First, Fig.18 shows the performance of STSR strategies with respect to different query size. Specifically, the query side length varies from 250m to 4000m. In general, the  $B^x$ -tree with global dynamic STSR is the best among all considering both total processing time and total number of updates. The  $B^x$ -tree with static STSR, although performs good in terms of total proceeding time, sends out the largest total number of updates. For all methods except ‘TPR-G’, the number of passive updates increases with the query size, since the STSRs of more objects intersects with the query region. For the ‘TPR-G’, the STSR is relatively large, and thus the performance is less affected by the query size.

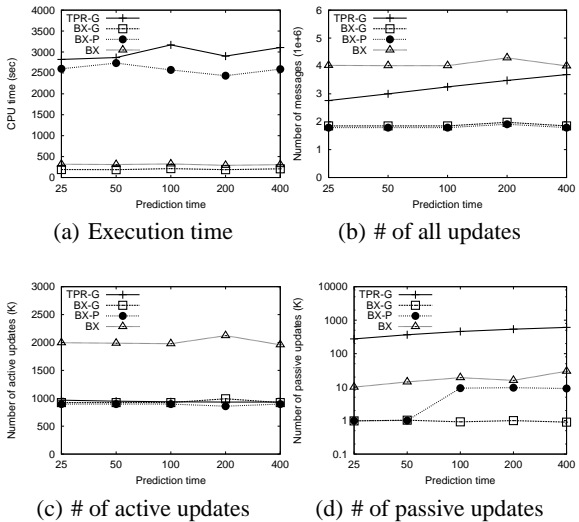


Figure 19: Effect of query predictive time  $qpdt$

Fig.19 shows the effect of query prediction time on different STSR strategies. We vary the query prediction time from 0ts (cur-

rent query) to 120ts. As the prediction time changes, the total processing time shows the similar trends as those of other parameters, i.e., the ‘BX-G’ and ‘BX’ both run much faster than the ‘GX-P’ and ‘TPR-G’. As ‘BX-G’ tunes the parameters for the STSR periodically, it has the best performance in terms of the total processing time. ‘BX-P’ also minimizes the total number of updates, however, at the expense of longer processing time (for computing the parameters for objects individually). In general, as the predication time increases, more passive updates are incurred.

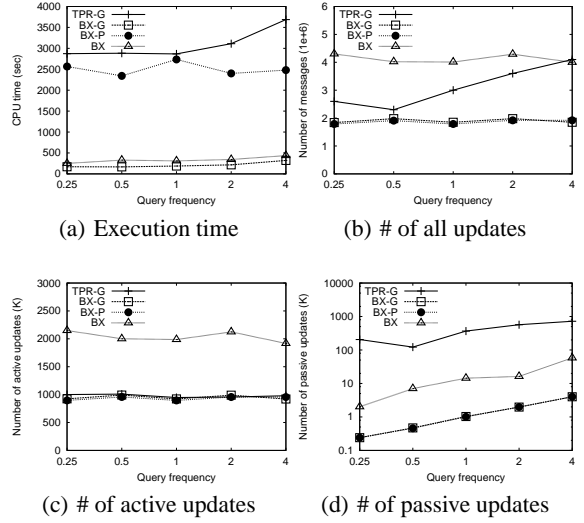


Figure 20: Effect of number of queries per timestamp  $pfqy$

Finally, we study the effect of query frequency on the performance Fig.20 shows the effect of query prediction time. For the STSR strategies, with more frequent queries, the number of passive updates increases a lot while the number of active updates decreases slightly. It is worth noticing that the total processing time is not much influenced by the query frequency, although the total number of queries increases a lot (by 16 times). The time for computing STSR dominates the processing time of the whole index.