NUS National University of Singapore National University of Singapore

Some opinion and advice on machine learning in population-based genomic medicine

#### Wong Limsoon

#### A confession

I use machine learning in very limited ways these days If you properly Resolve batch effects Control confounding factors Use informative features

Then any simple analysis methods (including machine learning methods) give equally good results

Machine learning currently has quite weak validation practices

A "black box" produced by a machine learning method may not be what you think it is

# In the GWAS context

If you properly

Resolve batch effects Control confounding factors Use informative features

Then any simple analysis methods (including machine learning methods) give equally good results Resolving batch effects Not an issue, as not much batch effects

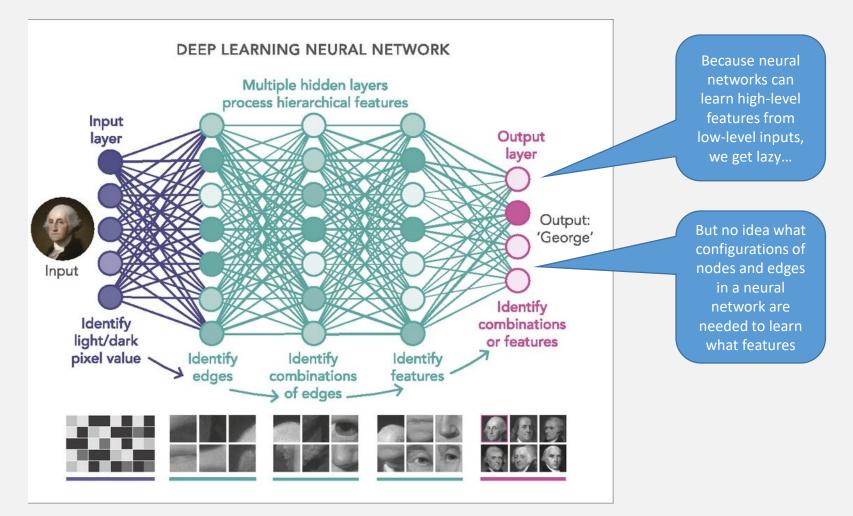
Controlling confounding factors, e.g. population structure *An issue, somewhat solved by stratification, sample selection,* 

etc.

#### **Using informative features**

An issue, we are still using features with diluted info

And is exacerbated when using machine learning in some cases



# Features with diluted information are often used in machine learning

### In the context of GWAS

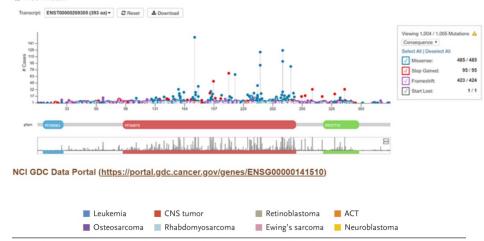
SNPs are de facto features They have "structures" (in the same gene, pathway, etc.) They have "interactions" (genetic linkage, epistasis, etc.)

Real explanations are often revealed at higher levels

But such higher-level info is often insufficiently exploited, even totally ignored

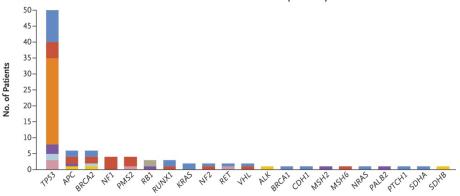
### Good explanations are often revealed at higher levels

### Mutational processes shape the landscape of TP53 mutations in human cancer.



TP53 are mutated in as many ways in as many cancer patients

But many patients have mutations in TP53 Mutations in 21 Genes Associated with Autosomal Dominant Cancer-Predisposition Syndromes



https://www.nejm.org/doi/full/10.1056/NEJMoa1508054

# **Provide / use higher-level info as much as possible**

Machine learning methods have a hard time finding SNPcancer associations, like the TP53 ones

Confused by noise from millions of SNPs

Diluted as each patient has his own mutations in TP53

Even when TP53 SNPs were found by machine learning methods, they couldn't tell you these are TP53 ones

These methods see SNP-level (not gene-level) info, since this is what they are provided with

# Another confession

I haven't done much work on GWAS these days

#### But I am thick-skinned

I am going to use this one as my example:

Sharlee Climer, Alan R. Templeton, Weixiong Zhang, "Allele-specific network reveals combinatorial interaction that transcends small effects in psoriasis GWAS", *PLoS Comput Biol*, 10(9):1003766, 2014

## **Missing heritability**

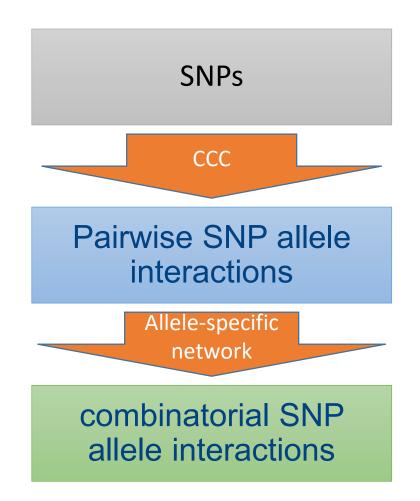
Single genetic variations cannot account for much of the heritability of diseases, behaviours, and other phenotypes

Combinatorial interactions may account for a substantial portion of this "missing heritability"

But their discoveries have been difficult 10<sup>12</sup> pairwise SNP interactions, 10<sup>18</sup> triplets, etc. Too many to screen efficiently Severe multiple testing

Also need to account for "diploid semantics" in the design of a screening metric

# From SNPs to higher-level more informative features



## Custom correlation coefficient, CCC

$$CCC is allelespecific$$

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$$CCC _{ij} = R_{ij} * F_i * F_j * W$$

$$Rare alleles havemore weight$$

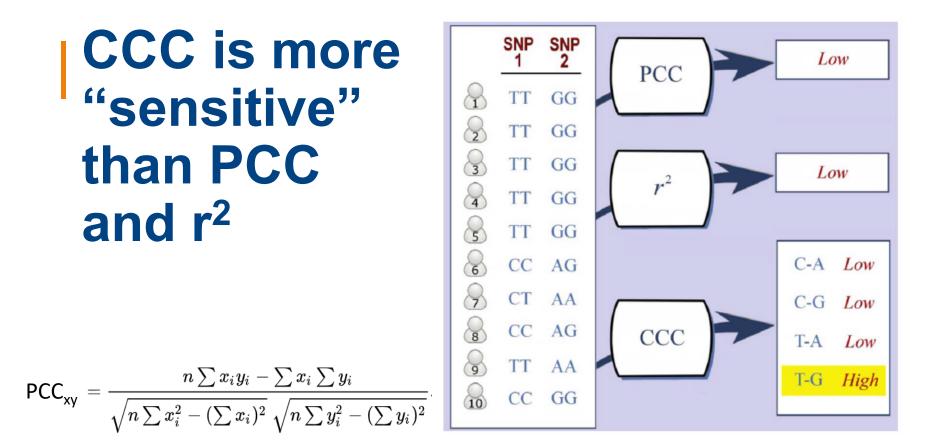
$$CCC is allelespecific$$

$$CCC _{ij} = R_{ij} * F_i * F_j * W$$

$$Rare alleles havemore weight$$

$$Suppose The second second$$

|       | P                 | SNP 2    |        |  |          |          |    |        |          |
|-------|-------------------|----------|--------|--|----------|----------|----|--------|----------|
|       | R <sub>ij</sub> — |          | B Bb   |  |          |          | bb |        |          |
|       | AA                | AB = 1   | Ab = 0 |  | AB = 1/2 | Ab = 1/2 |    | AB = 0 | Ab = 1   |
|       | AA                | aB = 0   | ab = 0 |  | aB = 0   | ab = 0   |    | aB = 0 | ab = 0   |
|       |                   |          |        |  |          |          |    |        |          |
| SNP 1 | Аа                | AB = 1/2 | Ab = 0 |  | AB = 1/4 | Ab = 1/4 |    | AB = 0 | Ab = 1/2 |
|       |                   | aB = 1/2 | ab = 0 |  | aB = 1/4 | ab = 1/4 |    | aB = 0 | ab = 1/2 |
|       |                   |          |        |  |          |          |    |        |          |
|       | аа                | AB = 0   | Ab = 0 |  | AB = 0   | Ab = 0   |    | AB = 0 | Ab = 0   |
|       | ad                | aB = 1   | ab = 0 |  | aB = 1/2 | ab = 1/2 |    | aB = 0 | ab = 1   |
|       |                   |          |        |  |          |          |    |        |          |



$$r=rac{\mathsf{P}_{\mathsf{AB}}\,\mathsf{P}_{\mathsf{ab}}-\mathsf{P}_{\mathsf{Ab}\,\mathsf{PaB}}}{\sqrt{p_A(1-p_A)p_B(1-p_B)}}$$

**Figure 1. Genotypes for ten individuals for a pair of SNPs.** The first five individuals are perfectly correlated, but the others are not correlated at all. The absolute value of PCC is 0.3 and  $r^2$  returns 0.0, due to the uncorrelated individuals. CCC supplies four correlation values, each of which corresponds to a specific type of correlation. These values are low for three of the possible combinations, but a high value of 0.7 for the T-G combination was returned. doi:10.1371/journal.pcbi.1003766.g001

### CCC is more efficient than PCC and r<sup>2</sup>

$$CCC_{ij} = R_{ij} * F_i * F_j * w$$

n: sample size, m: # of SNPs

 $F_i$  is computed once for each SNP allele i in O(n) time

 $R_{ij}$  is looked up in O(1) time CCC<sub>ii</sub> is computed in O(1) time

 $\therefore$  CCC complexity = O(m<sup>2</sup> + n)

$$\mathsf{PCC}_{\mathsf{xy}} = rac{n\sum x_i y_i - \sum x_i\sum y_i}{\sqrt{n\sum x_i^2 - (\sum x_i)^2}}\, \sqrt{n\sum y_i^2 - (\sum y_i)^2}$$

$$r = rac{\mathsf{P}_{\mathsf{AB}} \, \mathsf{P}_{\mathsf{ab}} - \mathsf{P}_{\mathsf{Ab} \; \mathsf{PaB}}}{\sqrt{p_A (1-p_A) p_B (1-p_B)}}$$

PCC complexity =  $O(m^2 * n)$ r<sup>2</sup> complexity =  $O(m^2 * n)$  $\therefore$  CCC is much faster

Sample size of 1,000; CCC is 1,000 times faster than PCC & r<sup>2</sup>

# Allele-specific psoriasis network analysis

Construct allele-specific network using 929 psoriasis cases and 681 controls in GAIN GRU genome-wide data: 443,020 autosomal SNPs

Nodes are SNP alleles Edges link SNP alleles (i,j) with  $CCC_{ii} > \theta$  θ is set here so that# nodes = # edges

Each connected component is a combinatorial interaction of SNP alleles

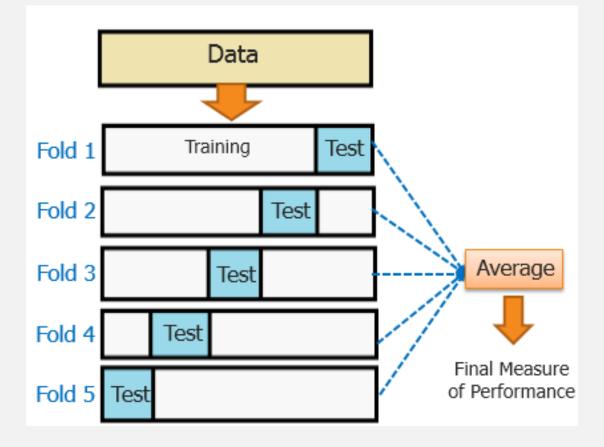
Test it and its complement allele pattern for association with phenotype (psoriasis)

### Top connected component, ps1

| Node # | Risk Allele | Freq. Cases | Freq. Controls | OR   | rsID       |
|--------|-------------|-------------|----------------|------|------------|
| 1      | G           | 0.431       | 0.324          | 1.58 | rs3130573  |
| 2      | С           | 0.421       | 0.300          | 1.70 | rs1265078  |
| 3      | т           | 0.394       | 0.266          | 1.79 | rs3130467  |
| 4      | С           | 0.391       | 0.260          | 1.83 | rs3130517  |
| 5      | т           | 0.381       | 0.252          | 1.83 | rs3130713  |
| 6      | т           | 0.530       | 0.438          | 1.45 | rs3130685  |
| 7      | С           | 0.360       | 0.233          | 1.85 | rs2394895  |
| 8      | А           | 0.469       | 0.346          | 1.67 | rs3130955  |
| 9      | А           | 0.516       | 0.413          | 1.52 | rs9263967  |
| 10     | т           | 0.404       | 0.256          | 1.97 | rs2844627  |
| 11     | т           | 0.298       | 0.150          | 2.41 | rs12191877 |
| 12     | С           | 0.513       | 0.401          | 1.57 | rs2524163  |
| 13     | А           | 0.513       | 0.405          | 1.55 | rs2243868  |
| 14     | С           | 0.341       | 0.208          | 1.97 | rs2894207  |
| 15     | А           | 0.296       | 0.154          | 2.31 | rs9468933  |
| 16     | G           | 0.424       | 0.288          | 1.82 | rs7773175  |
| 17     | А           | 0.404       | 0.291          | 1.65 | rs9380237  |

OR = 3.64 (CI: 2.75-4.80) P <  $5.01 \times 10^{-16}$  (Bonferroni corrected) Freq in cases: 22%, in control: 7%

3 SNPs in known psoriasisassociated genes (SEEK1, SPR1, HCR)



# Machine learning has quite weak validation practices

## **Computational validations**

Phenotype permutations, i.e. null distribution for OR

Genotype permutations, i.e. null distribution for CCC

Boot-strap trials

Independent validation

### Phenotype permutations

# Genotype permutations

P-values based on phenotype permutations agree with Bonferroni-corrected p-values

Edges unlikely to be false positives *Max CCC in permuted networks* = 0.6515 *Min CCC in unpermuted network* = 0.6949

### Boot-strap trials

# Independent validation

Ps1 robustly reproduced in 1,000 boot-strap rounds using random 50% of cases and controls  $Ave \ OR = 3.66 \ (CI: 3.64-3.69)$  $Ave \ P < 2.91 \ x \ 10^{-11}$ 

Ps1 replicated using GAIN ADO dataset (439 psoriasis cases, 728 controls) OR = 3.86 (CI: 2.98—5.01)  $P < 1.81 \times 10^{-25}$ Freq in cases: 26%, controls: 8%

## **Brief comparison w/ PCC**

A network constructed using PCC to link SNPs, same # of nodes and edges as CCC network

PCC network is more dispersed  $\Rightarrow$  fewer "believable modules"

Genotype-permuted PCC networks have higher PCC values than the unpermuted network  $\Rightarrow$  more false positives

PCC network took much longer to build

### Some caveats

Though CCC is much more efficient to compute that PCC and  $r^2$ , it still took ~50 "desktop" days to compute the allele-specific psoriasis network

But parallelizes easily; ran in 1 day on 45 desktops

Didn't take care of linkage disequilibrium, population structure, etc.

Can do these easily at post-processing

WHEN YOU SEE A CLAIM THAT A COMMON DRUG OR VITAMIN "KILLS CANCER CELLS IN A PETRI DISH,"

KEEP IN MIND:



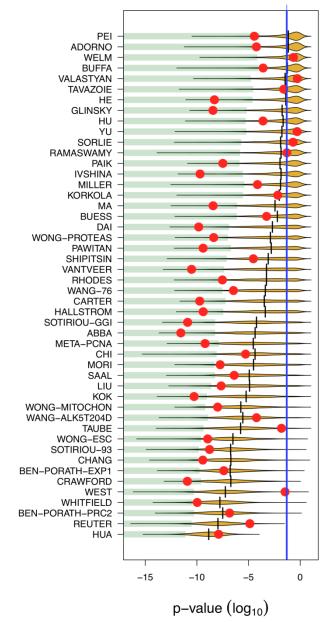
SO DOES A HANDGUN.

### An unrelated story about validation

 $\log_{10}(0.05)$ 

### Anna Karenina effect

40-50% of random signatures also have p-value << 0.05 on breast cancer datasets



# An engineer's solution to eliminate random signatures

For any independent dataset, a random signature has ~50% chance to be significant in it

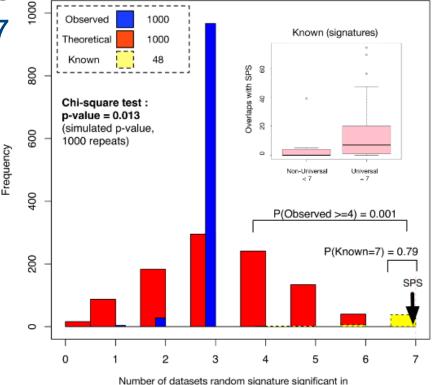
How many independent datasets are needed to avoid reporting random signatures as significant?

| n | (50%) <sup>n</sup> |
|---|--------------------|
| 1 | 50.00%             |
| 2 | 25.00%             |
| 3 | 12.50%             |
| 4 | 6.25%              |
| 5 | 3.13%              |
| 6 | 1.60%              |
| 7 | 0.78%              |

### **Test on 7 datasets**

SPS & most known signatures are universally significant on 7 breast cancer datasets

Random signatures (same size as SPS) are hardly universal, even though they get better p-values than known signatures on some datasets



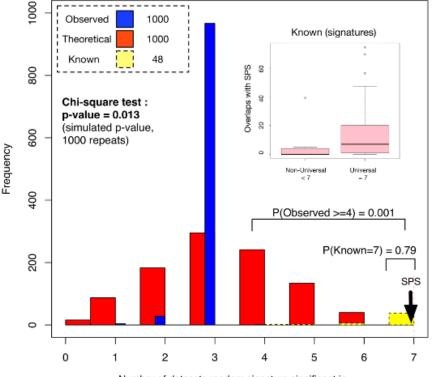
Goh & Wong. Drug Discovery Today, 24(1):31--36, 2019

## A theory-practice gap

Red histogram is expected # of random signatures significant in 1 to 7 independent datasets

Blue histogram is observed distribution

The independent datasets are less independent than you think!



Number of datasets random signature significant in



#### A "black box" produced by a machine learning method may not be what you think it is

# Neural networks: A popular machine learning approach

Do you know what a neural network has learned?

When two neural networks trained on the same training datasets have the same high performance on the same test datasets, have they learned the same thing?

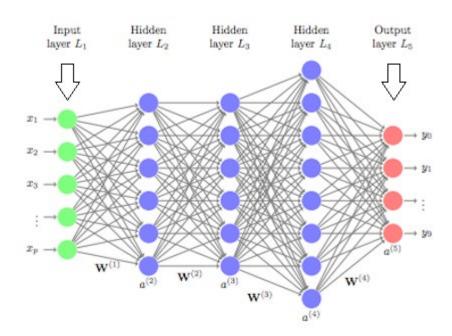


Image credit: University of Cincinnati

# Accuracy does not correlate with classifier similarity

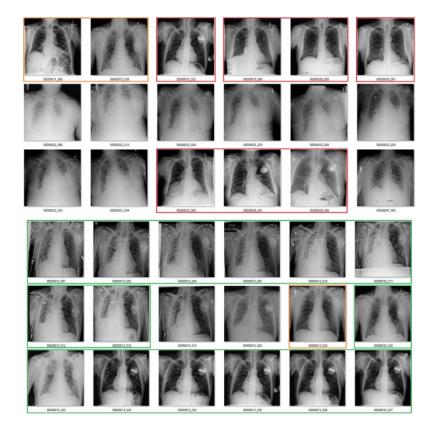
| NN                      | NN Acc. (%) | Acc. $t_1$ -sparse (%) | Acc. t <sub>2</sub> -sparse (%) | NPAQ r for $t_1$ -sparse (%) | NPAQ r for $t_2$ -sparse (%) |  |
|-------------------------|-------------|------------------------|---------------------------------|------------------------------|------------------------------|--|
| ARCH1                   | 74.00       | 78.00                  | 81.00                           | 20.31                        | 62.50                        |  |
| $\operatorname{ARCH}_2$ | 62.00       | 73.00                  | 78.00                           | 12.50                        | 65.62                        |  |
| $\operatorname{ARCH}_3$ | 76.00       | 82.00                  | 83.00                           | <sup>4</sup> Although t2     | 2-sparse and ARCH7 are b     |  |
| ARCH <sub>4</sub>       | 50.00       | 64.00                  | 72.00                           |                              | rate on the test set, they   |  |
| ARCH5                   | 78.00       | 82.00                  | 83.00                           | 7 disagree                   | e on ~80% of future cases    |  |
| ARCH <sub>6</sub>       | 80.00       | 11.00                  | 87.00                           | 37.50                        | 55.4                         |  |
| ARCH <sub>7</sub>       | 87.00       | 89.00                  | 89.00                           | 6.25                         | 79.69                        |  |

Table 2: First and second column refer to the baseline model where we use BNNs with 7 different architectures. The third and fourth represent the accuracies of sparsified models with  $t_1 = 0.03, t_2 = 0.05$  sparsification thresholds. The last 2 columns show NPAQ estimates for the difference between each sparsified model and the orignal model.

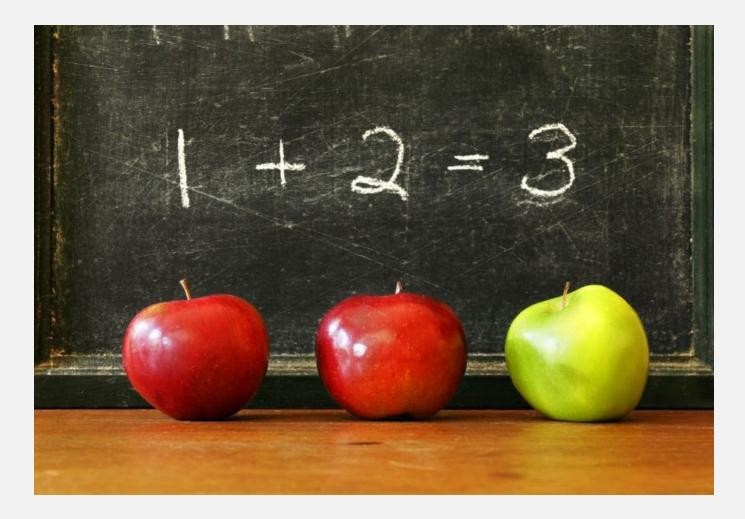
## A very recent story

|             | Disease       | taMap         | Our Method |         |             |            |         |       |
|-------------|---------------|---------------|------------|---------|-------------|------------|---------|-------|
| L'ARCONC.   |               | Precision / R | tecall / F | 1-score | Precision / | Recall / F | 1-score |       |
|             |               |               |            | enI     |             |            |         |       |
|             | Atelectasis   | 87.37         | 96.57      | 91.7    | 88.7 /      | 96.5/      | 92.4    |       |
|             | Cardiomegaly  | 100.0 /       | 85.5/      | 92.2    | 100.0 /     | 85.5/      | 92.2    |       |
|             | Effusion      | 90.3 /        | 87.57      | 88.9    | 96.6/       | 87.57      | 91.8    |       |
|             | Infiltration  | 68.0 /        | 100.07     | 81.0    | 81.0 /      | 100.0 /    | 89.5    |       |
|             | Mass          | 100.0 /       | 66.7 /     | 80.0    | 100.0 /     | 66.7 /     | 80.0    |       |
|             | Nodule        | 86.7 /        | 65.0/      | 74.3    | 82.4/       | 70.0/      | 75.7    |       |
|             | Pneumonia     | 40.0 /        | 80.0 /     | 53.3    | 44.47       | 80.0/      | 57.1    |       |
|             | Pneumothorax  | 80.0/         | 57,1/      | 26.3    | 80.0 /      | 57.1/      | 66.7    |       |
|             | Consolidation | 0.7/16.30     |            |         | 77.87       |            | 82.4    |       |
|             | Edema         | 94.1/ 64.     | .07        | 76.2    | 94          | 1.1/0/6    | 0483.3  |       |
| OSIS        | 10            | 00.0 / 100.   | 0/         | 100.0   | 100         | 0.0 / 10   | 0.07    | 100   |
| PT          | 10            | 00.0 / 75.    | 0/         | 85.7    | 100         | 0.0/ 7     | 5.0/    | 85.7  |
| Hernia      | 10            | 00.0 / 100.   | 0/         | 100.0   | 100         | 0.0 / 10   | 0.0 /   | 100.0 |
| Total       | 1             | 77.2/ 84.     | 61         | 80.7    | 89          | 9.8/ 8     | 35.0/   | 87.3  |
|             |               | C             | nestX-     | ray14   |             |            |         |       |
| Atelectasis | ; <b>(</b>    | 88.6/ 98.     | 1/         | 93.1    | 96          | 5.6/ 9     | 07.37   | 96.9  |
| diomeg      | galy 9        | 94.1 / 95.    | 71         | 94.9    | 96          | 5.7/ 9     | 5.7/    | 96    |
|             |               | 37.7/ 99.     | 61         | 93.3    |             |            | 92.5    |       |
|             | Nodule /      | 59.7 / 90.    | 0/         | 78.6    |             | 02B1       | 88.2    |       |
|             | Pneumonia     | 73.81         | 87.31      | 80.0    | 88.91       | 87.37      | 88.1    |       |
|             | Pneumothorax  | 87.4/         | 100.07     | 93.3    | 94.37       | 98.8/      | 96.5    |       |
|             | Consolidation | 72.8 /        | 98.3/      | 83.7    | 95.2/       | 98.3/      | 96.7    |       |
|             | Edema         | 72.1/         | 93.9/      | 81.6    | 96.97       | 93.97      | 95.43   |       |
|             | Emphysema     | 97.67         | 93.2/      | 95.3    | 100.0 /     | 90.97      | 95.2    |       |
|             | Fibrosis      | 84.67         | 100.0 /    | 91.7    | 91.7 /      | 100.0 /    | 95.7    |       |
|             | PT            | 85.1/         | 97.6/      | 90.9    | 97.6/       | 97.67      | 97.6    |       |
|             | Hernia        | 66.7/         | 100.0/     | 80.0    | 100.0 /     | 100.0 /    | 100.0   |       |
|             | Total         | 82.8 /        | 95.5/      | 88.7    | 94.4/       | 94.47      | 94.4    |       |

# Really good results from a study published in CVPR 2017



Dataset bias - many pneumothorax cases were patients treated with chest drain



### **Closing remarks**

## **Closing remarks**

Resolve batch effects + control confounding factors + use informative features  $\Rightarrow$  simple analysis methods can give good results

But it takes some understanding to design good features

Current validation practices are quite weak Put more thoughts into here; test and test again

A "black box" produced by a machine learning method may not be what you think it is

Use w/ caution; avoid unless no choice